



CURRICULUM GRADE 10 – 12 DIRECTORATE

NCS (CAPS) SUPPORT DOCUMENT

GRADE 12

MATHEMATICAL LITERACY

STEP AHEAD PROGRAMME

2021

LEARNER PREFACE GRADE 12

This support document serves to assist Mathematical Literacy learners on how to deal with curriculum gaps and learning losses as a result of the impact of COVID – 19 in 2020. It also captures the challenging topics in the Grade 12 work. Activities serve as a guide on how various topicsare assessed different cognitive levels and will also assist in preparing learners for informal and formal tasks in Mathematical Literacy. It is important that learners do these activities to reinforce what has been taught in class. It will covers the following topics:

A	Basic skills
В	Finance
С	Measurement
D	Map and Plans
Е	Data Handling
Е	Probability

TOPIC:FINANCE

SECTION: TAXATION

OBJECTIVES

By the end of this section the learners should to be able to:

- Explain concepts such as, (Income tax, gross income, tax rebates, tax threshold, etc.)
- Determine an individual taxable income
- Calculate personal income tax
- Determine net pay
- Identify the name of the employee listed on a pay slip and the month for which the pay slip has been issued.
- Identify the employee's monthly salary.
- Explain how the employees "taxable income" has been determined by referring to the salary and deduction values shown on the payslip.
- Explain the meaning of the terms "gross pay", "net pay", "deductions", and "taxable income" shown on a payslip.
- Read appropriate tax values from given income tax deduction tables.
- Identify the income tax bracket into which an individual falls based on a given monthly and/or annual income.
- Use formulae provided on income tax bracket tables to calculate an individual's annual and monthly income tax.
- Investigate through calculation how the tax rebate value is determined. Compare income tax tables over different financial periods and explain how an individual's tax may have changed from one period to another.
- Investigate the effect that an
- increase in salary has on increased tax payments.

TERMINOLOGY

- **Gross income**: is the total income received by an employee/individual before deductions are taken out or subtracted.
- **Taxable income**: Is an amount of money that an employee or individual receives after an amount of pension fund contribution has be subtracted or deducted.
- **Tax threshold**: it determines whether an individual is required to pay income tax (PAYE) or not according to their specified income level and age.
- **Tax rebates**: Is an amount which reduces the amount of tax that an individual was supposed to pay according to their age. In other words, it must be subtracted on the Income tax a person must pay.
- **Medical tax credits**: it also reduces an amount of income tax, but only for those individuals that have a medical aid scheme.
- Taxable deductions i.e. medical aid and pension fund UIF
- Non-taxable deductions i.e. car allowance

NOTES

Explain the difference between "taxation" and

ownloaded from Taxation and Income Tax

Two types of Tax

- VAT: The money paid by consumers (people buying) and businesses.
- Income Tax: The money paid by working people, earning a salary above the tax threshold. All income tax and VAT is paid to SARS.= 4 km

Summary:

- 1. If needed MEASURE lengths on paper
- 2. Write down the scale.
- 3. Write the corresponding lengths beneath each other.
- 4. Apply one of the two methods or the method that you're used to or know.
- 5. Convert to appropriate/unit requested.

Know your conversions!

Step 1:

Calculating Income Tax:

- Calculate the annual income.
- Multiply the monthly salary by 12 to make it

annual salary and add extra benefits.

Explain the terms:

Annual income:

All the income a person earned over the year.

• Taxation: The government's process of getting

• Tax: The money that a person or business pay

tax money from the workers or businesses.

Ask the learners to explain "income tax". Use the learners' explanation to give further

explanation of income tax.5. Convert to

appropriate / unit as requested. Know your

Income is:

tax:

to SARS.

conversions!

- wages (money earned per hour);
- salary (money earned per month);
- bonuses;
- commissions; and
- Overtime.

Do not use only salary to calculate income.



Step 2: Calculating non-taxable income: • UIF- 1% of income • Pension fund: 7,5% • Donations (charity gift to charity organisation) • Child support payments A donation will be exempted(not added) if the total value of donations for a year of assessment is not more than: • casual gifts by companies and trusts:R10 000; and • Donations by individuals: R100 000.	Explain the concepts. Assist learners to find the non-taxable income on the Salary advice.
Step 3: Calculating the taxable income: Taxable income = total income - non-taxable income	
 Step 4 Tax threshold: Use the tax table to see if the person must pay tax. The person whose income is lower than the tax threshold does not pay tax. 	Ask the learners to look at the tax table. See if the person must pay tax. Explain tax threshold.
 Step 5: Identify the tax bracket. Copy the bracket. Calculate payable tax before the rebates and medical credits could be subtracted. NB: Remember order of calculations! 	
 Step 6: Identify the rebate. Calculate the annual medical credits. Subtract the rebate and medical credits from the calculated tax in step 4. Rebate: Is the tax relief(pay less). It is deducted after annual tax has been calculated. The older the person, the higher the rebate. People younger than 65 get the primary rebate. People above 65 qualify for both primary and secondary rebates. People above 75 qualify for primary, secondary and tertiary rebates. 	Explain "tax rebate". Show the tax table to the learners. Show the rebates indicated on the given tax table. Explain age related additional rebates.

Medical tax credit:

- Monthly medical rebate.
- Relieving(make less) personal tax; irrespective of the income.
- More dependants on medical aid = higher medical tax credit.
- Dependants:
- o First dependant = main member.
- o Second/third dependant etc = other members on your medical aid.

Explain medical tax credit.

Show the medical tax credit on the given tax table.

Explain dependants:

• The people who are on your medical aid.

INCOME TAX: INDIVIVUALS AND TRUSTS 2016/2017

Taxable income (R) Rate of Tax (R) Tax bracket

$0 - 188\ 000$	18% of taxable income
188 001 – 293 600	33 840 + 26% of taxable income above 188 000
293 601 – 406 400	61 296 + 31% of taxable income above 293 600
406 401 – 550 100	96 264 + 36% of taxable income above 406 400
550 101 – 701 300	147 996+ 39% of taxable income above 550 100

701 301 and above 206 964 + 41% of taxable income above 701 300

TAX REBATES

Primary R13 500

Secondary (Persons 65 and older) R7 407

Tertiary (Persons 75 and older) R2 466

TAX THRESHOLDS

AGE TAX THRESHOLD

Below age 65 R75 000

Age 65 to below 75 R116 150

Age 75 and over R129 850

MEDICAL TAX CREDIT RATES 2016/2017 YEAR OF ASSESSMENT

R286 per month for the taxpayer who paid the medical scheme contributions

R286 per month for the first dependant

R192 per month for each additional dependant (s)



TOPIC:	FINANCE		
SECTIO	TARIFFS (TELEPHONE)		
N			
OBJECT IVES	Learners need to be able to:		
TERMIN OLOGY	Subscription feeCost per minute.	 Tariff Two main tariff systems namely prepaid and post-paid. Subscription fee Cost per minute. Minutes / number of calls. 	
	 Define the term tariff. Ayanda was offered a bursary to study film and multimedia studies at a University in Durban. Covid 19 made it impossible for her to attend normal classes, hence President Ramaphosa urged citizens to stay home during lock down sessions, so she had to study home. Since she did not have her own computer, she needed a cell phone with unlimited web-browsing. The table below illustrates the costs of different cell phone deals from three local cell phone providers. 		ole for her to attend normal as to stay home during lock the did not have her own l web-browsing.
	Deal	Cell phone cost and	Calls costs
	_ 	internet costs	
	Deal 1	R2 500 cash for cell phone. R50/ month for internet.	R2 per minute.
	Deal 2	R250 per month over 24 months; including internet and cell phone.	50 free minutes. R2,50 per minute for calls after free minutes.
	Deal 3 R400 per month over 24 months; including 120 free minutes.		120 free minutes.

internet and cell	R1.50 per minute for	
phone.	calls after free	
	minutes.	

- a) Determine which deal (for cell phone, internet and calls) is the cheapest over 24 months, if Ayanda makes 2, 5 hours of calls per month. Show all your workings.
- b) Determine the formula for the total costs per month for:
 - i. Deal 1
 - ii. Deal 2
- c) Draw the graph of the total monthly costs for all 3 cell phone deals.

SOLUTIONS

1. Tariff is a basic amount charged per unit.

2. (a) Deal 1 costs =
$$R2 500 + (50 \times 24) + (2 \times 210 \times 24 \text{ months})$$
 [3,5 hours×60=210min]

R3 700 + (R420×24) R3 700 + R10 080

Deal 2 costs = $R250 \times 24 + R2,50 \times (210-50 \text{ min}) \times 24 \text{ months}$

 $R6000 + (R400 \times 4)$ R6000 + R9600

R15 600.

R13780

Deal 3 costs = $R400 \times 24 + (R1.50 \times (210-120 \text{ min}) \times 24 \text{ months}$

 $R9\ 600 + (R135 \times 24 months)$

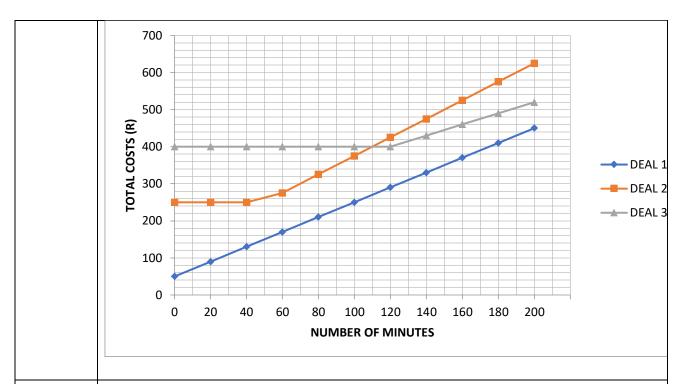
R9600 + R3240

R12 840

*Deal 3 is the cheapest.

- (i) Deal 1 formula: total cost = $R50 + (R2 \times No. \text{ of minutes})$
- (ii) Deal 2 formula : total cost = $R250 + [R2.50 \times (total No. of min free minutes]$

(c). TOTAL MONTHLY COSTS FOR ALL 3 CELLPHONE DEALS



ACTIVI TIES

Question 1.

1. Mr Mxhaka is a business man who resides at extension 7. He has a landline telephone which he uses to contact his clients on a daily basis. A service provider has offered him a choice of two different call packages.

CALL PACKAGE 1	CALL PACKAGE 2	
• Monthly rental: R150	Monthly rental of R300	
• First 100 minutes are free	• First 500 minutes are free	
• Calls cost R0.50 per	• Calls cost R0.50 per	
minute	minute	

The total cost for call package 1 is given by the following formula:

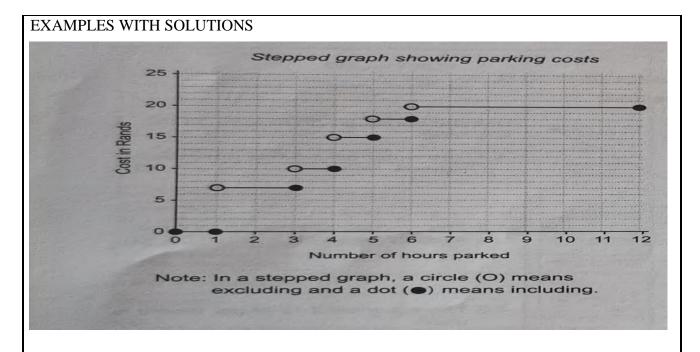
 $Total\ cost(rand) = R150 + R0.50 \times (number\ of\ minutes\ more\ than\ 100)$

- 1.1. Write down a formula which can be used to calculate the total (in a rand) for CALL PACKAGE 2. (2)
- 1.2. If call package 2 is used, determine the total cost, in rand, if Mr Mxhaka made calls with a total duration of 510 minutes.(4)
- 1.3. Which call package would you recommend Mr Mxhaka to purchase, if he makes 700 minutes worth of calls per month? (2)

Promote fairness

Example of Stepped tariff structure graph

TOPIC: FINANCE	
SECTION: TARIFFS (WATER TARIFFS)	
LESSON OBJECTIVES Stahmorephysics.com	 Learners must know how to define the term tariff. Perform calculations involving tariffs. Calculate costs using given tariffs and formulae. Compare two or more different options for a tariff system to determine the most appropriate option for individual with particular needs. Read off break-even values in a graph. Estimate the values of the dependent/independent variable for which the graphs are equal directly from the axes. Draw and interpret graphs of various tariff system, draw graph to represent the different options and interpreting the points of intersection and other regions on the graphs in relation to the context
KEY CONCEPTS/	> Tariff
TERMINOLOGY/VOCABULARY	Consumption rate
	Time (duration and arrival time)
	Cost for single trip and return trips
	Weekly and monthly tickets
INTRODUCTION	
NOTES	
WHAT ARE TARIFFS? Rates charged for services, rendered. Consumption rate – rate at which a commodity Stepped tariff structure system This system is designed to: Encourage people to save or not over use services.	ry such as water, electricity or fuel is consumed.



NB: The graph indicates that the more you use, the more you pay

2. The local Municipality Ezweni, has been using the following tariff structure in 2020. Study the Table below and answer the question papers that follow.

TABLE 1: EZWENI MUNICIPALITY WATER TARIFFS STRUCTURE FOR RESIDENTIAL PROPERTIES IN 2019/2020

WATER USAGE	RATES PER LILOLITRE
	(EXCLUDING 15% VAT)
0 to 6kl	R0
Over 6kl to 12 kl	R19, 01
Over 12kl to 40kl	R25,60
Over 40 kl	R30, 10

Mr Cele who is a resident at EZWENI Local Authority. He used an average of 28 kilolitres of water, in November 2020. Calculate (in rand) that is paid to the Local Municipality, including VAT. (7)

• $6 \text{ kl} \times \text{R0} = \text{R0}$

22kl left

 $6kl \times R19, 01=R114,06$

16kl left

 $16kl \times R25,60 = R409,60$

Total cost including VAT= $(R0 + R114,06 + R409, 60) \times 1.15$

 $= R933,26 \times 1,15$ = R1079,25

LEARNERS ACTIVITIES

ACTIVIY 1

Lungelo from Ekwazini Municipality is staying there with his wife and 3 children. He has been billed by the Local Municipality for water used in September 2020. The following table shows the water tariffs for both residents and businesses.

TABLE 1: EKWAZINI MUNICIPALITY WATER TARIFF STRUCTURE FOR RESIDENTS AND BUSINESSES IN 2019/2020

WATER USAGE	TARIFFS PER KILOLITRE FOR	BUSINESS RATES
	RESIDENTS (EXCLUDING 15%	(EXCLUDING 15%VAT)
	VAT)	
$0 < kl \le 6$	FREE	
6 < kl ≤15	R16, 01	147°
15 <kl≤38< td=""><td>2800°</td><td>(excluding 15 %VAT)</td></kl≤38<>	2800°	(excluding 15 %VAT)
Over 38	R31, 20	

- 1.1 Define the term tariff (2)
- 1.2 Lungelo used 36 kl with his family in September 2020. Calculate the Total cost, including VAT of water used. (8)
- 1.3 Lungelo is also owning a saloon in the nearest Township. He is also charged as per business rate including 15% VAT, for using 25kl of water. Work out the cost of water used in his business.(4)

[14]

ACTIVITY 2

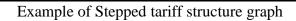
INKABA community is charged for water usage using the following tariff structure for 2020

TABLE 2: TARIFF STRUCTURE USED BY THE MUNICIPALITY OF INKABA COMMUNITY FOR 2020

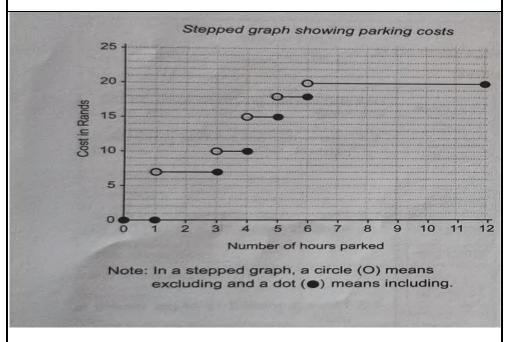
Water usage in kl	Tariff (including VAT)
0kl to 4kl	R0, 90
5kl to 10kl	R11, 35
11kl to 20kl	R18, 05

21kl plus	25, 49			
2.1 Mrs Stuart from the INKABA Community was charged an amount of R798,00 including 15%				
VAT in October 2020. Calculate how many kl of	water were used? (7)			

TOPIC: FINANCE				
SECTION: TARIFFS (7	TRANSPORT)			
LESSON				
OBJECTIVES	 Learners must know how to define the term tariff. 			
	 Perform calculations involving tariffs. 			
	 Calculate costs using given tariffs and formulae. 			
	o Compare two or more different options for a tariff system to determine			
	the most appropriate option for individual with particular needs.			
	 Read off break-even values in a graph. 			
	o Estimate the values of the dependent/ independent variable for which the			
	graph are equal directly from the axes.			
	o Draw and interpret graphs of various tariff system, draw graph to			
	represent the different options and interpreting the points of intersection			
	and other regions on the graphs in relation to the context			
KEY CONCEPTS/	• Tariff			
TERMINOLOGY/VO	Consumption rate			
CABULARY	Time (duration and arrival time)			
	Cost for single trip and return trips			
	Weekly and monthly tickets			
INTRODUCTION	INTRODUCTION			
NOTES				
	WHAT ARE TARIFFS?			
	Rates charged for services, rendered.			
Consumption rate – rate at which a commodity such as water,				
	electricity or fuel is consumed.			
	Stepped tariff structure system			
	This system is designed to:			
	Encourage people to save or not over use services			
	Promote fairness			
	<u>.</u>			



The table below illustrates a stepped tariff structure system for parking costs



EXAMPLES WITH SOLUTIONS

1. Linda has just been admitted to a new school a bit far from where she stays, she has to decide on the cost effective transport to use to school by comparing the costs of travelling by a bus, taxi or train.



- A bus trip from home to where the school is at costs R20, 40 One way.
- A taxi costs R9,50 half way plus R5,80 for another taxi to take her the whole way
- A return fare by train costs R25.00
- 1.1 Which mode of transport is the cheapest for a single trip? Show all calculations SOLUTION

1.2 Draw a graph that illustrates the cost per trip, using the 3 different mode of transport, calculate for 5 trip.

SOLUTION

No of trips	1	2	3	4	<u>5</u>
Cost for Bus	R20,40	R40,80	R61.20	R81.60	R102,00
Cost for taxi	R15,30	R30.60	R45.90	R61.20	R76.50
Cost for train	R12,50	R25.00	R37.50	R50,00	R62.50

GRAPH



1.3 According to Linda's findings, which mode of transport is the cost effective one and why?

SOLUTION

Train because it is cheaper to travel with

1.4 If Linda attends school 5 times in a week, determine the total amount she's going to pay at the end of the month if she uses the bus as her mode of transport.

SOLUTION

 $R25,00 \times 5$ times

= R125 In a week \times 4 weeks

=R500



ACTIVITIES

- 1.1 An educator drove 383.5km from Komani to Port Elizabeth. The car used 28,239l of Petrol at a cost of R434,61.
- 1.1.1 Calculate the petrol price per litre.

(2

1.1.2 Determine the average distance travelled per litre.

(2)

1.1.3 Calculate the cost in Rand per kilometre travelled.

(2)

1.1.4 Determine the litres of fuel required for a distance of 175 km at the same rate of consumption

(3)

1. Mr and Mrs Bokopane have decided that they need to start money to go on a holiday in December. They decide that the best way to do this is to draw up a budget and work out how much money they are able to save every month for the holiday. They decide to put all the money they have left over after their expenses into their holiday. Below is a table showing Mr and Mrs Bokopane's budget for the month of June 2020.

MONTHLY INCOM	E	MONTHLY EXPENDITURE		
Salary after	R23 800	Pension	R1 250	
deductions				
Rent Income	R4350	Medical Aid	R5 600	
		Insurance	R2 320	

		Rates and Taxes	R1 420
		Water and Refuse	R 340
		Electricity	R1 150
		Car Payment	R2 950
		School Fees	R1 400
		Food	R2 900
		Clothing	R 850
		Petrol	R1 250
		Entertainment	R 900
		Cell phone	R 800
		Maintenance and rental	R 750
		unit	
		Saving (9% of total	A
		income)	
TOTAL	R28 150	Total	В
		Holiday budget	

- 1.1.Calculate A (the amount of savings) that they put away every month.
- 1.2. Calculate the total expenditure of the Bokopane's household, according to the budget.
- 1.3.Mr and Mrs bokopane save for 6 months. Calculate how much they have saved thus far.
- 1.4. The Bokopane family found 2 different accommodation options for their holiday. Use the information below to choose the best accommodation for them. The family decides to stay over for 7 days and they found that the cost of the meals for 4 people will be a minimum of R400. The family packs sandwiches for lunch.

Option 1

Cosy bed and breakfast offers accommodation for R750/day for the entire family; this includes only breakfast.

Option 2

Waterfall hotel offers accommodation at R1400/day for the entire family; this includes all meals and access to many entertainment facilities.

- 1.5. The Bokopane family decides that after the holiday, they would continue to put away the same amount of money and after 5 months they would have a substantial amount of money to put into an interest bearing account at the bank to maximise their savings.
- 1.5.1. How much will the Bokopane's have to put into the savings account after 5 months?
- 1.5.2. Calculate how much the Bokopane's will have after 6 months if the bank offers them an interest rate of 9,5 p.a.

TOPIC: Finance

SECTION: Cost price and selling price

OBJECTIVES: Investigate the running of a small business with consideration of the following for the business:

- Income and Expenditure statement
- Budgets
- Break-even analysis.

The cost of production, cost price and selling price of an item or service sold/rendered by the business.

TERMINOLOGY:

- Cost price:
- Selling price:
- Break-even:
- **Profit**
- Income:
- Expenditure:

NOTES:

- Determine the cost of production and/or cost price of an item or service.
- Understand the difference between the cost of production and the cost price.
- Decide on an appropriate selling price for an item and/or service based on an expected percentage profit.
- Investigate the running of a small business.
- Determine the break-even values by:
 - > Drawing two graphs on a set of axes and reading off the points of intersection of the graphs
 - Trial and improvement through substitution into two or more equations representing the scenario and/graphs
- Understand that the break-even point is always made up of two values
- Understand that the meaning of the break-even values is determined by the context in which the break-even values occur.

WORKED EXAMPLES

1. Amukelani grows cacti plants and sells them to the local nursery. He generally sells 20 cacti in a batch for R690 excluding VAT. His costs with VAT per batch include:

Potting soil which is R85, plant pots which costs R120, water which costs R40, labels which costs R62 and transport which costs R58.

- 1.1 Determine the selling price per cactus including VAT).
 - Selling price per cactus excl. VAT = $\frac{690}{20}$ \checkmark =R34,50 \checkmark

Selling price per cactus incl. VAT = $\frac{115}{100} \times 34,50$ ✓ $= R39.68 \checkmark$

1.2 Determine the cost price per cactus including VAT)

Total cost price including VAT per batch = R85 + R120 + R40 + 62 + 58 \(= R365,00 \(\sqrt{}

So, Total cost including VAT per cactus = $\frac{R365}{20}$ \checkmark

 $= R18,25 \checkmark$

1.3 Calculate Amukelani s profit per cactus.

$$Profit = Selling \ price - Cost \ price$$

$$= R39,68 - R18,25 \checkmark$$

= $R21,43 \checkmark$

1.4 Determine the percentage profit Amukelani makes per cactus.

%Profit =
$$\frac{profit}{cost \ price} \times 100$$

= $\frac{R21,43}{R18,25} \checkmark \times 100 \checkmark$
= 117,42% \checkmark

POPULATION: The entire group about which data is collected.

SAMPLE: A collection of people that represent the population.

ORDER (ARRANGE): Sort the data set in:

ASCENDING ORDER: (smallest value to largest value)
DESCENDING ORDER: (largest value to smallest value)

RANGE: The largest data value MINUS the smallest data value.

MEAN (AVERAGE): Add all the data values together and divide the answer by the

NUMBER of data values.

Always use the formula: $Mean = \frac{total\ of\ data\ values}{number\ of\ data\ values}$

MODE: The piece of data found MOST often.

There can be more than one mode.

MEDIAN: After the set is arranged in size order the MIDDLE-MOST value is the median.

When the set has an <u>UNEVEN</u> number of data values, there is a data value in the middle.

When the set has an <u>EVEN</u> number of data values, the median will be the MEAN of the middle TWO data values.

QUARTILES: Quartiles divide the data into four equal parts.

The **MEDIAN** is also **Q**₂, sometimes called the 2nd Quartile.

The LOWER QUARTILE Q_1 is the middle data value when looking from the start of the arranged data set to Q_2

Q₁ is also the 25th percentile, sometimes called the 1st Quartile The **UPPER QUARTILE Q**₃ is the middle value when looking from the median to the last data value.

Q₃ is also the 75th percentile, sometimes called the 3rd percentile.

INTERQUARTILE RANGE: The difference between Q_3 and Q_1 . (Q_3-Q_1)

This section represents the middle 50% of the data set.

1.1Statistics SA released data that shows the number of marriages per month that took place from 2011 to 2015. Use the table below to answer the questions that follow:

TABLE: Number of marriages per month from 2011 - 2015

	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
2011	11	11	13	14	10	10	10	10	13	15	15	27
	353	403	802	808	794	254	767	730	883	828	966	676
2012	10	11	14	12	10	10	9	10	14	13	14	27
	866	351	359	941	928	466	850	689	272	491	761	138
2013	10	10	13	12	10	10	9	11	13	13	15	26
	106	360	873	805	905	218	776	183	455	507	735	719
2014	9	10	13	12	10	9	9	10	12	13	14	24
	526	331	203	107	271	384	975	272	245	686	960	892
2015	9	10	11	11	10	9	9	9	11	13	13	18
	401	340	795	795	482	086	086	836	977	500	268	343

- 1.1 Determine the range of the number of marriages for 2013. (3)
- 1.2 Determine the probability of randomly selecting a month in 2011 with less than 12 000 marriages. (3)
- 1.3 Mbulelo claims that both median and the mean can be used to represent the data on the number of marriages for 2015. Verify, showing ALL calculations, if Mbulelo's claim is correct. (7)
- 1.4 Explain why the set of data for 2015 is considered to be bi-modal. (2)
- 1.5 Calculate the number of marriages in the fourth quarter of 2014, as a percentage to the total number of marriages for 2014. (6)
- **1.6.** Which method of data collection was used to collect the data above, explain your answer (3)
- 1.7. Is the data given biased or not? Justify your answer. (3)

On 14 February 2012 there was a queue of customers waiting to eat at Danny's Diner, a popular eating place in Matatiele.

The time (in minutes) that 16 of Danny's customers had to wait in the queue is given below:

30 15 45 36 **A** 40 34 **B B** 42 26 32 38 35 41 28

B is a value greater than 20.

- 1.1 The range of the waiting times was 37 minutes and the mean (average) waiting time was 34 minutes.
 - (a) Calculate the missing value **A**, the longest waiting time. (2)
 - (b) Hence, calculate the value of **B**. (4)
 - (c) Hence, determine the median waiting time. (3)
- 1.2 The lower quartile and the upper quartile of the waiting times are 27 minutes and 41,5 minutes respectively. How many of the 16 customers had to wait in the queue for a shorter time than the lower quartile? (2)
- 1.3 Danny's previous records, for 16 customers on 7 February 2012, showed that the median, range and the mean (average) of the waiting times were 10 minutes, 5 minutes and 10 minutes respectively.

Compare the statistical measures relating to the waiting times on 7 and 14 February and then identify TWO possible reasons to explain the difference in these waiting times. (4)

TOPIC:Data Handling

SECTION:Summarising Data

OBJECTIVES:

The Learners should be able to:

- Analyse data sets using central tendencies and or spread
- Understand the function / purpose of measures of central tendency and spread

TERMINOLOGY

MEAN:- Is the Average of all Scores

MEDIAN:- Is the Middle score

MODE:- Is the score that appears the Most

MINIMUM:- Is the Smallest score MAXIMUM:- Is the Largest score

RANGE:- Is the difference between the highest score and lowest score

OUARTILE:- Are points that divide the data into quarters

FIRST QUARTILE(Q1):- Is the midpoint of the lower half of the data

SECOND QUARTILE(Q2):- Is the Median

THIRD QUARTILE(Q3):- Is the midpoint of the higher half of the data

INTERQUARTILE RANGE:- Is the difference between the First and Third Quartile

PERCENTILE:- Are points that divide the data into 100 equal parts

OUTLIERS:- Are points that differ significantly from the other data points

NOTES

Each Central tendency help us analyse the given data in different ways

1. Mean

Advantage: The calculation of the mean uses all values in the data so it is works best with continuous data. Disadvantage: it is easily skewed by outliers.

Disadvantage. It is easily skewed by

2. Median

Advantage: Outliers or skewed data have little to no effect.

Disadvantage: its value is not dependant on all the values in the data set.

3. Mode

Advantage: Best suited to categorical data Disadvantage: does not suit continuous data.

When analysing different type of data the following central tendencies are best

- 1. Mean is best for symmetrical distribution for continuous data
- 2. Median is best for skewed distribution for continuous data
- 3. Mode is best for categorical data

Spread also helps us analyse the given data

1. Quartiles

The calculation of the quartiles uses half of the values in the data and works best with continuous data. As a result it is less effected by outliers.

2. Interquartile Range

Tells us about the range of the middle half of the data thus it is not affected by outliers.

WORKED EXAMPLES

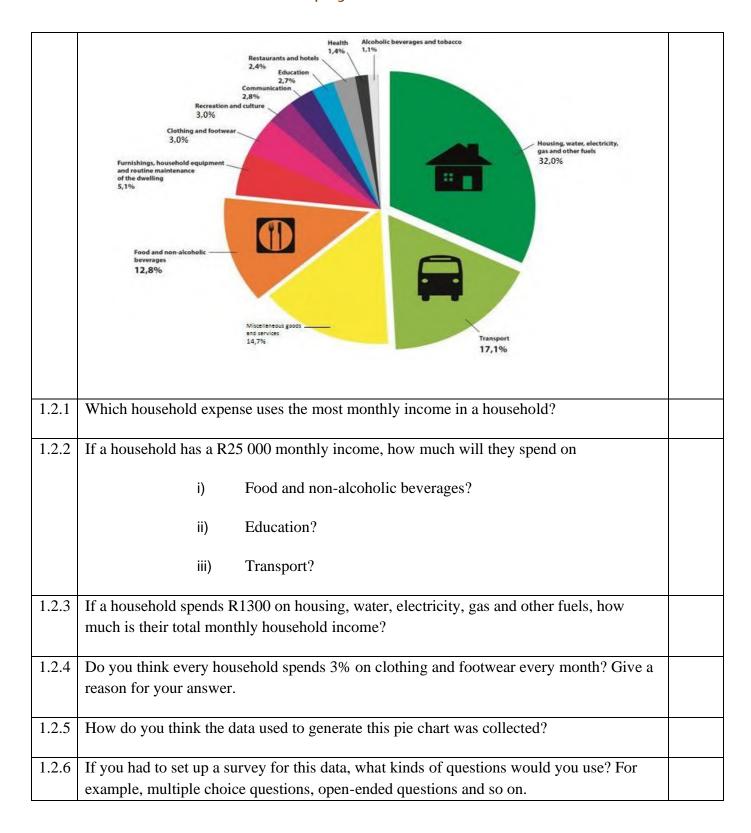
QUE	ESTION 1	WORKED E.		Marks
1.	_	below which gives the heights of 10	friends, each measured to the nearest	(2)
	centimetre, to	answer the questions that follow:		
	Name	Height (cm)		
	Albert	181		
	Beth	176		
	Cindy	154		
	David	185		
	Emily	169		
	Frank	185		
	Gary	166		
	Helen	173		
	Ida	129		
	Jeremy	168		
1.1	Calculate the			3
	Mean = =	$=\frac{1686}{10}=\underline{168}$		
<u> </u>				
1.2	Calculate Med			3
		166; 168; 169; 173; 176; 181; 185; 1	85	
	Median =	169+173		
1.3	Identify the M			2
1.5	Mode = $\frac{1}{2}$			
	111000	<u>55</u>		
1.4	Which centra	tendency best suited to analyse this	data?	2
		there is an outlier		
1.5	Calculate the			3
	Range = 1			
l	= <u>5</u>	<u>6</u>		
1.6	Calculate the	•		2
	129; 154;	166; 168; 169;		
_	Q1 = 166			
1.7	Calculate the	the third quartile.		2
		181; 185; 185		
	Q3 = 181			
1.8	Calculate the	Interquartile range.		3
	IQR = 181			
	= 15			
1.9	Who is the ou	tlier?		2
		is much shorter than the others in the	egroup	
			0 - 1	

1.10	Calculate the Mean excluding the outlier.	3
	Mean = $\frac{1557}{9}$	
	= 173	
	- <u>173</u>	
1.11	Compare the Mean with the outlier to the Mean without the outlier.	2
	The mean without the outlier is closer to the centre of the set of data	
1.12	Calculate the Range excluding the outlier.	3
	Range = $185 - 154$	
	= 31	
1.13	Compare the Range with the outlier to the Range without the outlier.	2
	The range without the outlier is much smaller	
	TOTAL	[32]
	ACTIVITIES	
QUE	STION 1	Marks
	Janet has a shop with Scrapbooking Department and a Toy Department. She kept a record of	
	ages of the customers who visited the two departments on a particular day.	
	Scrapbooking Department: 35 60 46 57 54 34 60 54 56 46 47 67 65 54 45	
	Toy Department: 5 15 25 7 36 21 70 20 17 6 15 65 9 15	1 -
1.1	Arrange the ages of the customers who visited the toy department in ascending order.	2
1.2	Calculate the range of the ages of the customers who visited the Toy Department	3
1.3	Determine the median of the ages of customers who visited the Scrapbooking Department.	2
1.4	Which set of data has an outliers?	2
1.5	Determine the mean (average) of the ages of customers who visited the Scrapbooking	3
	Department.	
1.6	Name the central tendency best suited to each of the sets of data and explain.	4
	TOTAL	[16]

TOPIC:DATA HANDLING SECTION:Summarizing Data Percentiles **OBJECTIVES:** • By the end of this lesson, learners will be able to recognize trends at different places in the data to TERMINOLOGY: • Mean median, mode, range and IQR. NOTES: In everyday life, percentiles are used to understand values such as test scores, health indicators, and other measurements. WORKED EXAMPLES **QUESTION 1** Marks Mrs Long is the high-jump coach at Roseland High School. She records the heights jumped by the five boys in the high-jump team. 1.1 Lerato is one of the members of the team. The following are heights, in metres, of his last 12 jumps: 1,70; 1,68; 1,78; 1,90; 1,74; 1,85; 1,81; 1,95; 1,98; 2,00; 2,02; 1,80 Determine the following: 1.1.1 The median height jumped by Lerato during his last 12 jumps 1.1.2 The height that is his lower quartile (Q1) 1.1.3 The height that is his upper quartile (Q3) (2) His Interquartile range (IQR), in centimetres, using the formula: Interquartile Range = 1.1.4 Upper Quartile – Lower Quartile OR IQR = Q3 - Q1. 1.2 The athletes in the high-jump team were told that if their 75th percentile were at 1, 95 m or higher, they would qualify to take part in the inter-high competition. Which of the heights jumped by Lerato is at his 75th percentile? 1.2.1 The 75th percentiles for the other four members of the team were as follows: Charles 1, 1.2.2 94 m Lebo 1, 80 m Mohamed 1, 95 m Siyabonga 2, and 00 m. Which of the five athletes did NOT qualify to take part in the inter-high competition? Give a reason for your answer.

TOTAL

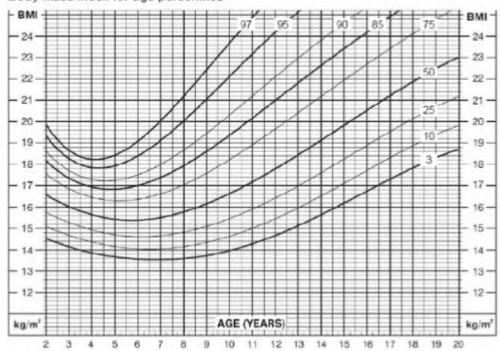
QUES	STION 1	Marks
1.1	Given below are the box-and-whisker plots for the girls and boys grade 9 mathematics results for the different provinces. Study them carefully before answering the questions that follow.	
	Boys	
	Girls	
	4 4.5 5 5.5 6 6.5 7 7.5 8 8.5 9 9.5 10 10.5 11 11.5 12 12.5 13 13.5 14 14.5	
1.1.1	Which group of students performed better as a whole?	
1.1.2	What was the median mark for both sets of data?	
1.1.3	Is the distance from the whisker to the first quartile the same for boys and girls?	
1.1.4	Do you think the data in both box-and-whisker plots is evenly spread? Give a reason for your answer.	
1.1.5	Give the range of marks for both boys and girls.	
1.1.6	Would gender be considered a categorical or numerical piece of data?	
1.1.7	Would maths marks be considered discrete or continuous data? Give a reason for your answer.	
1.2	Given below is a pie chart which shows the typical South African's monthly household	



1.3 Body Mass Index (BMI) is a number calculated from a person's mass and height. BMI number is plotted on the CDC BMI-for-age growth charts (for either male or female) to obtain a percentile ranking. BMI-for-age weight status categories and the corresponding percentiles are shown in the following table.

WEIGHT STATUS CATEGORY	PERCENTILE RANGE
Underweight	Less than the 5th percentile
Healthy weight	5th percentile to less than the 85th
	percentile
At risk of overweight	85th percentile to less than the 95th
	percentile
Overweight	Equal to or greater than the 95th
	percentile





1.3.1	At what percentile v	vould an 8 year old	d with a BMI of 17 be?

- 1.3.2 What is the BMI of a 5-year-old boy if his BMI places him at the 90th percentile?
- 1.3.3 Within what range can a 10-year-old boy BMI be if his weight is considered healthy?
- BMI is calculated using the formula: BMI = $\frac{weight}{(height)}$
- 1.4.1 What is the weight status of an 18-year-old boy who is 1,86m tall and weighs 90kg?
- 1.4.2 How heavy would a 16-year-old boy be if he is 1,65m tall and his BMI is at the 50th percentile?

TOPIC:DATA COLLECTION

SECTION:DATA COLLECTION AND METHODS

OBJECTIVES:

LEARNER SHOULD BE ABLE TO:

- Construct tally table
- Read information in the graph and frequency table
- Construct frequency table from general arranged data.
- Draw graphs from given data.
- Understand intervals between the given data
- Understand terminology



TERMINOLOGY

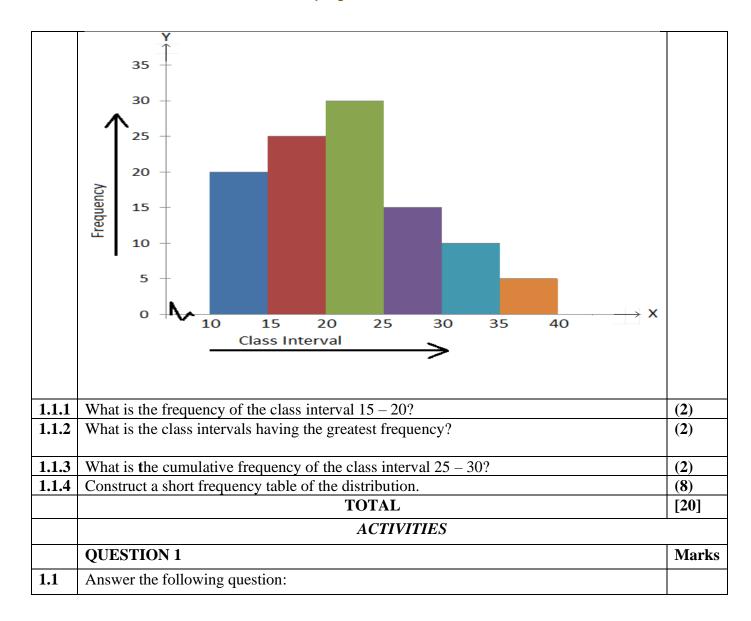
- **Histogram:** 90 degree using adjacent bars to show frequency (horizontal and vertical).
- **Data:** information, series of observation measurement, fact, and recording information for purpose of statistics
- **Frequency:** the number of times the data value is recorded.
- **Group:** put into classes/ sort/ arrange/ organise

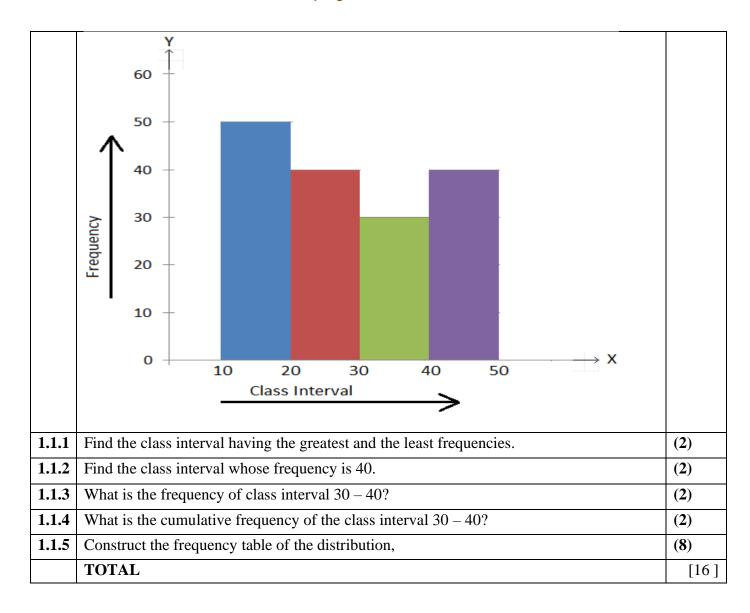
NOTES

- Learner should be able to construct the frequency tables from the arranged data.
- Learners should be able to arrange data in ascending order.
- Learners should be able to classify data by intervals
- Learners should be able to draw a graph from the given data.

WORKED EXAMPLES

QUE	QUESTION 1	
1.1	The histogram for a frequency distribution is given below:	





TOPIC: Data Handling

SECTION: Interpreting Data

OBJECTIVES

You should be able to:

- Identify and describe trends.
- Compare different representations of multiple sets of data and explain the differences.
- Identify and describe sources of bias.
- Answer questions under investigation.
- Identify and describe any misleading representations and data summaries.
- Develop apposing arguments

TERMINOLOGY

- **Bias** is an error in the way survey is designed/data is presented that will causethe data to be unreliable **OR** to favour one or unfairness of the survey/presentation.
- **Unbiased** –means fair, unprejudiced and neutral.
- Trendis a pathway or the behaviour pattern shown by thedata set or a graph.

NOTES

When interpreting and analyzing data, it is important to take the following into account:

- Using percentage to represent data values in a table or graph is useful for comparing relationships in size, but does not reveal the size of the categories clearly.
- Using actual values to represent data values in a table or graph shows the population/sample size clearly, but is often not useful in showing the relationship between the categories clearly.
- When comparing different categories of data, if there is an unequal number of data items in each category, then the use of actual values or percentages te represent the data will affect the impression created by the data.
- The choice of scale and/or the point of which the axes cross impact on the impression created by the graph.
- Tables of the contain more information than graphs, but trends are not easy to observe.

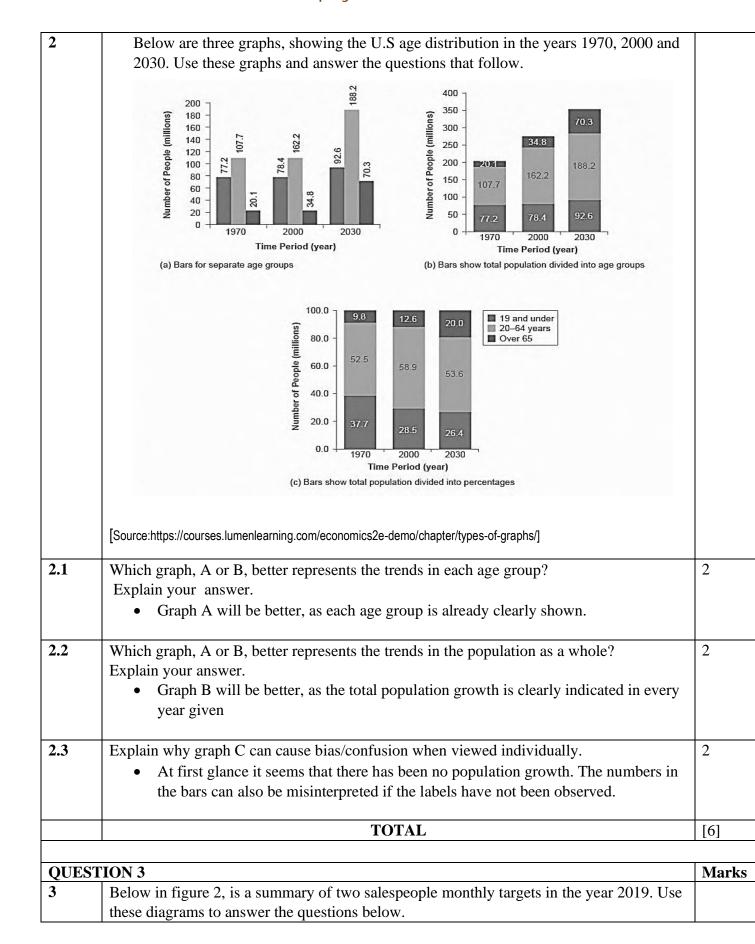
REMEMBER

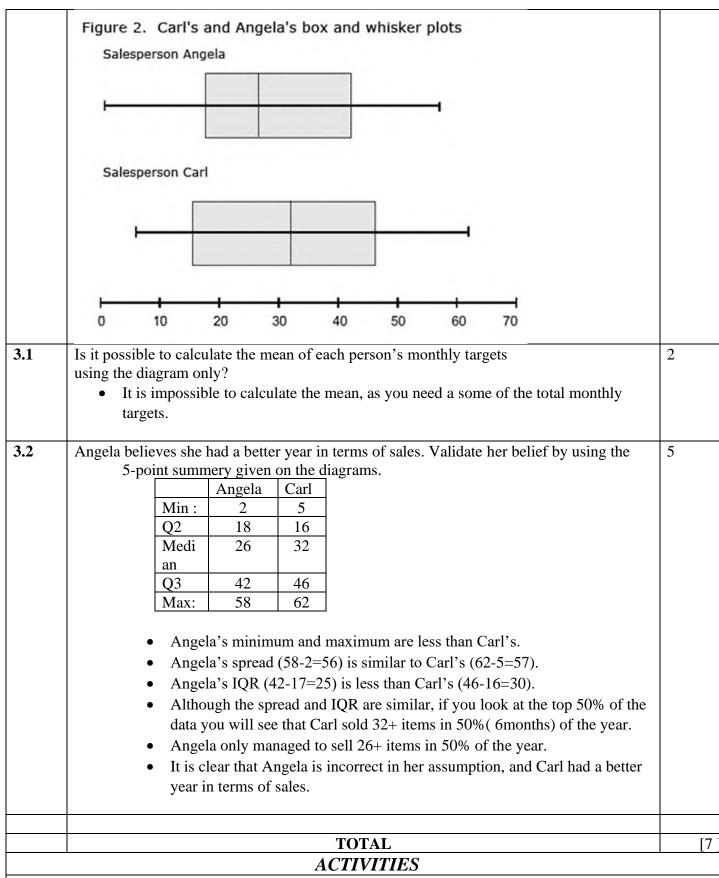
The interpreting of data is important during the statistical cycle as a whole. Continuously ask questions about the following:

- The size of the sample.
- The representivity of the sample.
- The methods used for collecting data.
- The neutrality of the data collecting process.
- Whether the data collected was fact or opinion.
- The way in which de data was sorted and/or grouped.
- The sizes of the groups used in grouping the data.
- Types of measure to determine the average of the data.
- The spread (range) of the data and what the spread suggests about the data.
- The way the data was represented and why.

WORKED EXAMPLES

QUESTION 1 M	Marks
--------------	-------

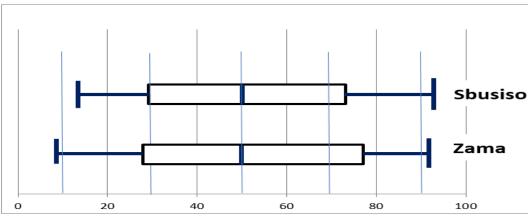




ACTIVITY 1

Two grade 12 Mathematical Literacy learners in MrMadiba class compared their SBA marks combined with their informal assessment to decide who performed better.

The summary of their performance is represented by box and whisker plot below



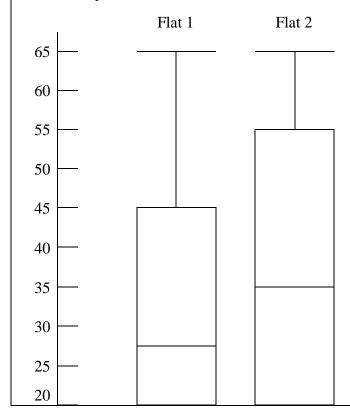
The arranged percentage marks of Zama are given below:

9	14	14	19	21	23	33	35	37	37	38	Α
50	56	57	59	В	75	75	77	78	80	81	92

1.1	Calculate the missing value of A and calculate value of B, if the mean percentage mark	5
	of Zama is 49	
1.2	1.2 Explain which learners performed better in the tests if both the medians and interquartile range are compared.	5
		[12]

ACTIVITY 2

The box-and-whisker plots below represents the ages of people living in TWO residential flats. Study it and answer the questions that follow:



		_	
15		 	
10			

Flat 1			
15	17	18	20
В	23	23	24
25	A	34	37
40	45	46	46

Flat 2				
15	17	19	20	20
23	24	25	29	30
30	32	33	33	33
37	40	43	43	47
51	53	55	56	58
60	61	61	62	65

2.1	Considering the information above, what would you see as an outlier? How does this outlier affects your interpretation of the data?	3
2.2	The median of Flat 1 is 27.5 and the average is 32. Determine the missing values A and B.	6
2.3	Explain where a mistake was made with the drawing of the box-and-whisker plot of Flat 2	2

ACTIVITY 3

The adults generally do not grow taller after a certain age. The situation is different with children. Most children grow taller all the time but that growth does not always happen consistently. in some month a child may grow very fast, while in other months he or she hardly grows at all. For this reason, it is not possible to use a single formula to determine the weight status of all children. Rather, determine the weight status of a child requires a condition of Body Mass index (BMI) and growth charts. A BMI – for – age growth chart is given below showing the relationship between the ages of boys from 2 to 20 years and possible BMI values.



Body Mass Index (BMI) is a number calculated from child's weight and height. BMI number is plotted on the CDC BMI – for – age growth charts (for either girls or boys) to obtain a percentile ranking. BMI – for – age weight status categories and the corresponding percentile are shown in the following table.

Weight status categories	Percentile range							
Underweight	Less than 5 th percentile							
Healthy weight	5 th percentile to less than the 85 th							
	percentile							
At risk of overweight	85 th to less than the 95 th percentile							
Overweight	Equal to or greater than the 95 th							
_	percentile							

Grace has three children, 16 -year old boy, 13 - year old boy and a 9 year old girl.

3.1	Determine a possible advice that a medical practitioner might give to a 16 year old boy with a BMI value of 28,5kg/m ² .	3
3.2	A 13-year-old boy weighs 55kg and he is 1,45m tall. Determine the weight (in kg) that the should lose to be considered as 'healthy weight status'. Hint: $BMI = \frac{Weight (inkg)}{(Heightinm)^2}$	7

$\overline{}$	 1. TI. 1 TO THE TOTAL CO.		
		[12]	
		1	

TOPIC:DATA HANDLING

SECTION: REPRESENTATION OF DATA

OBJECTIVES: • Represent two sets of data using a variety of graphs.

• Understanding that certain graphs are more appropriate depending on the scenario/context

TERMINOLOGY

Multiple set of data, difference between trend & patterns, categorical and numerical data, discreet and and continuous data

NOTES

SCATTER PLOTS: A scatter plot is the most useful graph for studying the relationship/correlation

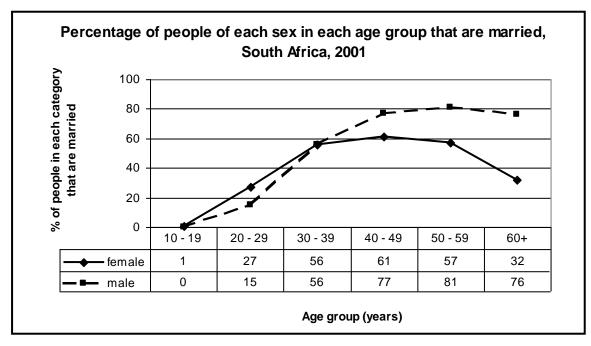
- positive correlation: points show an increasing straight line
- negative correlation: points show a decreasing straight line
- no correlation: points are scattered randomly without any noticeable pattern.

WORKED EXAMPLES

Marks

EXAMPLES WITH SOLUTIONS

1.The line chart below shows the proportion of people of each sex in each age group that were married in 2001. To answer the questions that follow, you may need to refer to either of the charts, or both.



Source: data from 'Women and men in South Africa. Five years on'. Statistics South Africa, 2002

1.1 What percentage of all 30–39 year olds were married?

(2)

1.2 Approximately what *number* of people were married in the 30–39-year age group?

	(3)	
1.3	Co	mpare the figures for people over 60 years old.
	a)	What proportion of women above the age of 60 years was married?
		(2)
	b)	What proportion of men above the age of 60 years was married?
		(2)
	c)	Explain why there is such a big difference between these two proportions
		(2)
1.1		GGESTED SOLUTION % of 30–39 year olds were married. ✓✓
	(2)	
1.2		ere were 6,4 million 30–39 year olds. (See question 4.5 above.) % of 6,4 million $\checkmark \approx 6,4 \times 0,56 \checkmark \approx 3,6$ million married 30–39 year olds \checkmark
1.3	a)	32% of women above the age of 60 years were married. ✓✓
		(2) 76% of men above the age of 60 years were married.✓✓
		(2)
		The difference in proportion is because men tend to die before their wives do. 🗸 🗸
	d) :	Many women over 60 years are widows.✓✓
		(2)
		TOTAL (20)

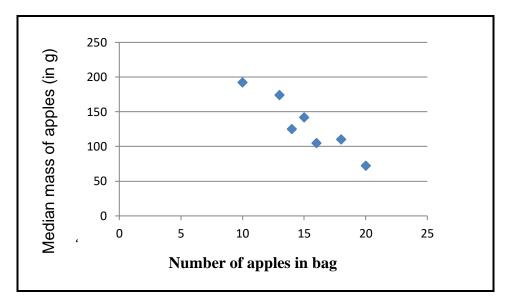
TOTAL (20) [5]

ACTIVITIES QUESTION 1

Miera's mother insists that she must eat as much fruit and vegetables as possible to stay healthy. Miera's favourite fruit is apples and her mother buys a 2 kg bag every two weeks. Being a Mathematical Literacy teacher, Miera's mom investigated the sizes of apples in the 2kg bags that she bought over 14 weeks. Her findings are captured in the following table:

Number of apples in bag	20	16	18	14	10	15	13
Median mass of apples in	72	10	11	125	102	1/12	174
gram	12	5	0	123	174	142	1/4

- 1.1. What do we call the data as shown in the table? Give a reason for your answer. (2)
- 1.1. A scatter plot drawn for the data in the table looks as follows:



Judge the following statement and indicate whether the statement is TRUE or FALSE. Give a reason for your answer.

The smallest apple in the bag has the biggest median mass of all the apples in the bag. (3)

TOPIC: FINANCE

SECTION: INTEREST

OBJECTIVES: At the end of the lesson learners must be able to do hire-purchase agreements and loans(eg personal, car, house)

TERMINOLOGY

SALE PRICE The stated price of the item to be purchased (e.g. sale price of a house, cash

price of a car, etc.)

e.g. R895 000,00 price of a house

DEPOSIT An amount that must be paid upfront before the loan is guaranteed. It is often

stipulated as a percentage of the loan amount.

Example: 15% of R895 $000 = 15 \div 100 \times R895 \ 000 = R132 \ 450,00$

LOAN The actual amount owed to the bank or loan agent.

AMOUNT Loan Amount = Sale Price – Deposit

Example: Loan Amount = $R895\ 000,00 - R132\ 450,00$

= R760750,00

INTEREST The percentage of the loan amount that will be charged as a 'fee' for borrowing

RATE the money. It is calculated on the balance owed.

e.g. 11,0% p.a.

However, interest is worked out on a monthly basis, so the

monthly rate = $11.0\% \div 12 = 0.916666\%$ per month.

The amount paid for loaning the money. Calculated on the amount INTEREST

owed at the end of each month.

e.g. First month = $R760750,00 \times 0.916666\% = R6973,54$ (This calculation is performed every month on the balance in the account. As it changes so will the interest charged.)

LOAN TERM The amount of time a person has to pay back the loan (e.g. 5 or 6

years for a car or 15 or 20 years for a house). Also known as the 'life of

the loan'. e.g. 20 years

MONTHLY The amount of money that must be paid back to the bank or loan agent

every month. A table of values is used to calculate the monthly

repayment according to the following method:

= $loan\ amount \div 1\ 000 \times factor$

The factor is obtained from a given table of values

The total amount that will be paid for the loan over the whole life of the **REAL COST**

loan.

Real cost = Monthly repayment amount \times number of repayments made Answer: Real Cost = $R7.850,94 \times (20 \text{ years} \times 12 \text{ months per year})$

= R1 884 225,60

NOTES

REPAYMENTS

WORKED EXAMPLES

Mr Siven Pillay is a teacher at Cool Air Secondary, he received his May bank statement from his bank. Table 2 below shows the part of his statement from 1 May 2020 to the 25 May 2020.

Study Table 1 below and answer the questions that follow

TABLE 1: Savings Account Bank Statement

Date	Transaction	Debit	Credit	Closing Balance
01 May 2020	Balance brought forward			-1200
01 May 2020	Interest	12		-1212
10 May 2020	Deposit		1500	A
15 May 2020	Salary		21 500	21 788
16 May 2020	Cash withdrawal	В		19 288
25 May 2020	Car Instalment	5 550		13 738

NB: Interest on overdraft: 10% calculated per day

- 1.1 Explain the minus sign in front of R1200?
- 1.2 Write down the interest rate charged on overdue accounts.
- 1.3 Determine the value of A and B.

Solutions

1.1 This is an overdraft. Funds used up in your account and you are using borrowed funds. This is reflected as a negative balance.

1.2 10%

$$1.3 \ A = 1500 - 1212$$

= R288

$$B = R21788 - R19288$$

= R2 500

	LEARNER ACTIVITY	
QUI	ESTION 1 [10]	Marks
1.	Mr Phungula wants to buy a TV. Games stores are having a Black Friday sale and all Tv's are going on special. The cash price of 102cm TV is R13 999. The deposit is 15%. Balance of the money is calculated at 25%pa interest for two years.	
1.1	Calculate the Deposit amount.	2
1.2	Calculate the Principal amount that he will borrow .	2

1.3	Calculate the monthly	/ instalments.					6
			TOTAL				[10]
QUE	STION 2 [9]				Ste	inmorephysics.com	Marks
2.	Mr Siven Pillay is calculate hismontly	•	_	oan. The tal	ole below is	used to	
	Loan Repayment Loan term	12 months	24 months	36 months	48 months	60 months	
	Loan amount	R10 000	R50 000	R100 000	R150 000	R200 000	
	Monthly repayment	R1 200	R3980	R4 583	R5 195	R5 739	
	Initiation fee	R1 040	R1 040	R1 040	R1 040	R1 040	
	Total repayment	R15 540	R96 560	R166 028	R250 400	R345 380	
	Study the table ab	ove and ansv	wer the follo	owing ques	tions		
2.1	Define the term Int	erest?		-			2
2.2	How much interest will you pay on a loan amount of R150 000, 00 (excluding initiation fees)?				2		
2.3	What is the longest loan term? Write your answer in years.				2		
2.4	Show how the total	payment wa	as calculated	d for a loan	of R50 000).	3
	TOTAL				[9]		

SUBJECT: MATHI	SUBJECT: MATHEMATICAL LITERACY				
TOPIC: FINANCE					
SECTION: BANKING					
LESSON	The learner must be able to:				
OBJECTIVES	o Differentiate between a Debit Balance and a Credit balance				
	 Differentiate between a Credit and a Debit 				
	 Differentiate between a Stop Order and a Debit Order 				
	 Understand ALL charges in relation to the banking system 				
	 Differentiate between Interest and Interest Rate 				
	 Calculate all Charges associated with Banking 				
	CREDIT BALANCE: There is Money in the account				
KEY CONCEPTS	DEBIT BALANCE: An account is overdrawn (Owing the bank				
TERMINOLOGY	Money)				
VOCABULARY	OVERDRAFT: The bank allows an account holder to debit on an				
	account.				
	STOP ORDERS: The account holder instructs the bank to make				
	monthly payments to a service provider.				
	DEBIT ORDERS: Service provider issues an instruction to your				
	bank to deduct a payment to your service provider.				
	INTEREST: Money earned on any investments or Money paid to				
	borrow money.				
	INTEREST RATE: The rate at which interest is paid or earned				
	expressed as a percentage.				
	OPENING BALANCE: Amount shown first on a financial				
	statement.				
	CLOSING BALANCE: Amount shown last on the bank statement.				

PRIOR-KNOWLEDGE/BACKGROUND KNOWLEDGE

- Income and Expenses
- Budget (Personal and Corporate)
- Percentage
- Calculating discounts using percentages

- Simple and Compound Interests calculations
- Financial Documents

INTRODUCTION

There are different types of bank accounts and they depend on bank to banks.

For example: Savings accounts – Customers earn money in the form of interest but there are no credit or cheque cards. Fixed deposit accounts – A lump sum is deposited each month for a specific period with specific interest. Money cannot be withdrawn. Transaction accounts – Money is available to be used for a variety forms as a stop order, debit order, or EFT. Transaction fees are charged for using the account.

EXAMPLES WITH SOLUTIONS

1.1 VBS bank charges R3,80 for withdrawing between R0 – R1 000 for every R100 withdrawn. While Usuthu Bank charges a fixed amount of R15 for a withdrawal less than R1 000 then R3,80 for every R100 withdrawn above R1000. Which bank will cost less for withdrawing R5 000?

SOLUTION: VBS Bank: $R3,80 \times 50$ Usuthu Bank: $R15 + R3,80 \times 10^{-2}$

40

R190 R15 + 152

= R167

HICHTHIII DANE

I will choose Usuthu Bank

2. Below is a table showing TWO banks' transactional charges between 2018 and 2019.

	VBS BANK	USUTHU BANK		
TRANSACTIONS	Fees	Fees		
МО	NTHLY FEES			
Monthly maintenance fee	R25,00	R50		
Self – Service subscription fee	R15,00	R5,00		
	DEPOSITS			
Cash over the counter	R8,25 + 2% of	R15,00 + 5% the amount deposited		
	deposited amount			
Cash at ATM	R5,00	R1,50		
CASH WITHDRAWALS				
Over the Counter	R100 + R2,50 for	R150 + R3,00 for every R100		
	every R100	withdrawn or part thereof		

	withdrawn or part	
	thereof	
Own ATM	R5,00	R1,00
Another Bank's ATM	R10,00	R3,50
BALANCE ENQUIRIES		
Over the Counter	R4,00 per page	R6,00 per page
Own ATM	R2,00	Free
Another bank's ATM	R12,00	R2,00
Self-service Banking	R1,20	Free

2.1 Calculate how much it would cost to withdraw R1500 over the counter at VBS bank.

- 2.2 Pitso is complaining that at VBS bank they are charging him too much and want to change his bank to Usuthu Bank. He performs the following transactions at VBS bank and compares them to Usuthu bank.
 - 3 cash deposits at VBS bank ATM
 - 2 balance enquiries at VBS bank over the counter with 3 page statement each time.

Show by calculations if his claim is valid or not.

SOLUTION:

Transaction	VBS	Usuthu
Cash deposits	$3 \times R5,00 = \mathbf{R15}$	$3 \times R1,50 = \mathbf{R4,50}$
Balance enquiries	$2 \times (R4,00 \times 3) = \mathbf{R24,00}$	$2 \times (R6,00 \times 3) = \mathbf{R36}$
Total Cost	R39	R40,50

Pitso's claim is Invalid

3. MrNgwagwane is planning to buy a house and found an advertisement on a newspaper that had a table shown below:

7	T C	, •
Loan	Intorn	antion
Loun .	uuoin	ıation

Cash Price	R573 000,00
Deposit	8%

Interest Rate | 14% Loan Period | 20 years

FNB is willing to grant MrMahlaba a loan using the table above.

3.1 Calculate the deposit he will have to pay?

3.2

SOLUTION: Deposit = $0.14 \times R573000, 00$

= R80 220

3.2 Determine the monthly repayment excluding the deposit.

SOLUTION: Outstanding Balance = R573 000 - R80 220

= R492780

Monthly Repayment =
$$\frac{R492780}{240}$$
 Period = $20 \times 12 = 240$ years = R2 053,25 per month

ACTIVITIES

- Credit cards from VBS BANK HAVE AN OPTIONAL cash-back reward sytem. For every R100 you spend, you earn 1 point and 10 points have a value of R1. A monthly costs of R175 a year to join this reward system.
 - 1.1 How many points will you get annually if you spend R6000 on average each month?
 - 1.2 How much money will you spend to earn 58 000 points?
- 2. Personal loans have a payback period between 2 to 10 years. Below is a table showing how interest rate changes with the repayment option.

Terms (Months)	12	24	36	48
Monthly repayment on	R563	R485	R343	R271
R5 000				
Monthly repayment on	R1089	R907	R786	R609
R20 000				
Interest rate	15%	14,3%	13,6%	13%

- 2.1 Calculate the total repayment amount for a loan of R20 000 taken over 36 months
- 2.2 How much money will you make in interest on this loan?
- 2.3 Calculate how much more will it cost to pay back a R10 000 loan over 48 months.

TOPIC

FINANCE

SECTION

EXCHANGE RATES

OBJECTIVES

- ➤ Be able to estimate the value of a currency in relation to other currencies.
- ➤ Understand the meaning of strong and weak currency.
- > Developing an understanding of the buying power of a currency in a particular country.
- > Be able to use exchange rate to budget for a holiday.

TERMINOLOGY

- Exchange rate a mean of showing comparison of one currency in relation to another.
- Foreign exchange money system used in a foreign currency.
- ➤ Buying power what things cost in a country in relation to what a person earns to that Same country.

NOTES

- Many travellers will use an exchange rate as a guideline for the relationship between their home currency and foreign currency.
- They use this as the guideline to know how much it will costs them in their home currency to buy something for which the price is given in a foreign currency.

WORKED EXAMPLES	Marks
Zandile is planning to have a holiday trip with her family to Moza December. She sees two adverts for hotel accommodation in Moz VILLA ESPANHOLA: MZN 3000 per night	1



HUMULA BEACH RESORT : \$ 1 526 for 14 nights



On the 24th of December Zandile finds the following exchange rates on the internet.

Currencies	Exchange rate
Rand: Metical (MZN)	R1: MZN 0,2116
Dollar : Rand	\$1 : R15,3238

		Kanu . Mencai (MZN)	K1 . WIZN 0,2110		
		Dollar : Rand	\$1:R15,3238		
1	How much it will cos	st to stay in VILLA ESPAN	HOLA in Rand for 1	night?	
					3
2	How much it will cos	st to stay in HUMULA BEA	CH RESORT in Ran	d for 1	4
	night?				
3	Which hotel is the ch	eapest option for one night	Explain your answer	•	3
4	Which currency stror	nger between Metical, Rand	and US dollar. Why?		3
5	On the 26 th of Decem	ber the exchange rate was a	as follow		
		Currencies	Exchange rate		
		Rand: Metical (MZN)	R1: MZN 0,3226		
		Dollar : Rand	\$1 : R14,3238		
5.1	Determine the new pr	rices for one night on each l	notel on this day		4
5.2	Is the Rand stronger	or weaker on this day?			2
		TOTAL			19

	ACTIVITY					
	Baobab Sea Lodg	e is a hotel on the Kenyan coa	stline. Pheto	lo intends to	spend	
		hotel, especially as her uncle			-	
		t on the advertised price. The				
	of the hotel are gi		L	1		
	MADA HOTEL					
		TARIF	FS			
		Period	Single	Double		
		07/12/2020 - 31/12/2020	Euro 100	Euro 130		
		01/01/2021 - 15/01/2021	Euro 75	Euro 100		
		16/01/2021 - 31/01/2021	Euro 115	Euro 155		
1		lo pay (in Euro) for his holida	_	es on the eve	ening of	4
		departs on the morning of 06)/U1/ZUZ1			
2		departs on the morning of 06 of the Rand to the Euro (£) at		hetolo's trip	is	3
2	The exchange rate	of the Rand to the Euro (£) at	the time of F	-		3
2	The exchange rate approximately R9,		the time of F	-		3
3	The exchange rate approximately R9, Rand for the whole	of the Rand to the Euro (£) at 00 for £ 1, 00. Calculate the c	the time of F cost of the acc	commodation		3
	The exchange rate approximately R9, Rand for the whole	of the Rand to the Euro (£) at 00 for £ 1, 00. Calculate the ce stay, after the discount. ows the approximate prices o	the time of F cost of the acc	commodation		3
	The exchange rate approximately R9, Rand for the whole The table below sh	of the Rand to the Euro (£) at 00 for £ 1, 00. Calculate the cestay, after the discount. ows the approximate prices of the Meal KES 440	the time of F cost of the acc	commodation		3
	The exchange rate approximately R9, Rand for the whole The table below sh	of the Rand to the Euro (£) at 00 for £ 1, 00. Calculate the cestay, after the discount. ows the approximate prices of the Meal KES 440	the time of F cost of the acc	commodation		
	The exchange rate approximately R9, Rand for the whole The table below sh MacDonald's Com Bottle of water (1, Loaf of bread	of the Rand to the Euro (£) at 00 for £ 1, 00. Calculate the cestay, after the discount. ows the approximate prices of the Meal KES 440 KES 80 KES 60 of the Kenyan Shilling to the	the time of F cost of the acc	commodation	n in	
	The exchange rate approximately R9, Rand for the whole The table below sh MacDonald's Com Bottle of water (1, Loaf of bread The exchange rate Work out the Rand	of the Rand to the Euro (£) at 00 for £ 1, 00. Calculate the cestay, after the discount. ows the approximate prices of the Kes 440 KES 80 KES 60 of the Kenyan Shilling to the evalues of the items above	the time of Foot of the according to the time of Foot of the according to	commodation s in Nairobi 10, 3106: R1	n in	6
	The exchange rate approximately R9, Rand for the whole The table below sh MacDonald's Com Bottle of water (1, Loaf of bread The exchange rate Work out the Rand Based on your answ	of the Rand to the Euro (£) at 00 for £ 1, 00. Calculate the cestay, after the discount. ows the approximate prices of the Meal KES 440 KES 80 KES 60 of the Kenyan Shilling to the	the time of Foot of the according to the time of Foot of the according to	commodation s in Nairobi 10, 3106: R1	n in	

TOPIC: MAPS AND PLANS

SECTION: SYMBOLS ON FLOOR PLANS

ELEVATIONS

OBJECTIVES

The leaner will be able to use the following plans:

- rough and scaled floor/layout plans showing a top view perspective
- rough and elevation plans (front, back and side) showing a side view perspective

In the context of:

• a complex structure (e.g. house \rightarrow RDP house)

In order to:

Understand the symbols and notation used on plans

(e.g. the symbol for a window is a double line; the symbol for a door is a vertical line attached to a quarter circle indicating the swing direction of the door).

Understand the terms

"North Elevation"/ "South Elevation"/ "East Elevation"/ "West Elevation"

and the relevance of compass directions in the construction of buildings.

Connect the features shown on elevation plans with features and perspectives shown on a floor plan of the same structure.

TERMINOLOGY Plan/Elevation/Compass directions

NOTES

ELEVATIONS

An **ELEVATION** is a view from a particular direction

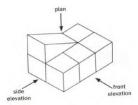


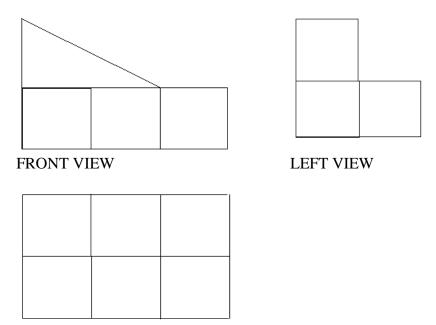
DIAGRAM ONE

- The Front elevation is the view you see from the front
- The Side elevation is the view you see from the side. Can be divided into right and left.

 on a piece of paper. North elevation is the view or drawing of the 	
side facing north.	
	North elevation view
South elevation is the view or drawing of the	
side facing south.	
	South elevation view
 East elevation is the view or drawing of the side 	facing east.
 West elevation is the view or drawing of the side facing west. 	
The plan of an object is the view from above.	West elevation view
North elevation	Plan
South elevation	
West elevation	

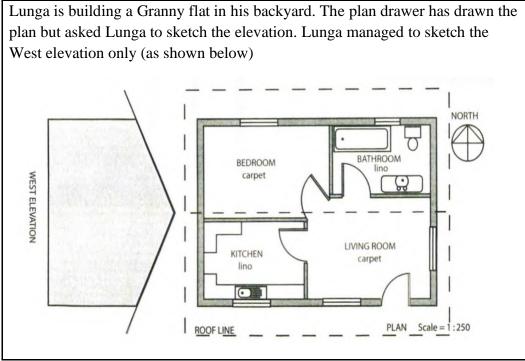
QUESTION 1 Marks

1.1 Draw the plan; front elevation and side elevation for diagram one



ACTIVITIES

QUESTION 1 Marks



- 1.1 What type sink is found in the kitchen? (2)
- 1.2 When Lunga enters his flat, which room will he be entering? (2)
- 1.3 Describe how the bedroom door will open when Lunga is leaving the bedroom (2)
- 1.4 Name the features shown in the bathroom (3)
- 1.5 Why is the kitchen and bathroom floor covered in lino and not carpet? (2)

	TOTAL	[22]
1.10	Sketch the south elevation	(3)
1.9	How many windows are there in the north elevation?	(2)
1.8	How many doors are there in the north elevation?	(2)
1.7	How many windows are there in the east elevation?	(2)
1.6	How many windows are there in the west elevation?	(2)

TOPIC:

MAPS AND PLANS

SECTION:MAPS

OBJECTIVES

- A learner should be able to convert the scale and write the scale in a form of 1 :......
- ➤ Use the scale to calculate the actual or map distance or length.

TERMINOLOGY

- > Scale: how many times smaller an object shown on a map.
- ➤ Bar scale: is a picture that shows how far the actual distance will be when you take measurement on the map
- Number scale: is written in ratio format

NOTES

- > Scale: how many times smaller an object shown on a map.
- ➤ Bar scale: is a picture that shows how far the actual distance will be when you take measurement on the map.
- > Number scale: is written in ratio format.
- Advantages of number and bar scale.
- Advantages of number and bar scale.
- Convert the scale in the form of 1:.....

WORKED EXAMPLE



Use the map of South Africa to answer the following questions.

- 1. What is the name of the scale used on the map?
- 2. What is the advantage of using this scale?
- 3. Measure the map distance in mm between East London and Durban.
- 4. Use the scale to calculate the actual distance in Km.

Solutions

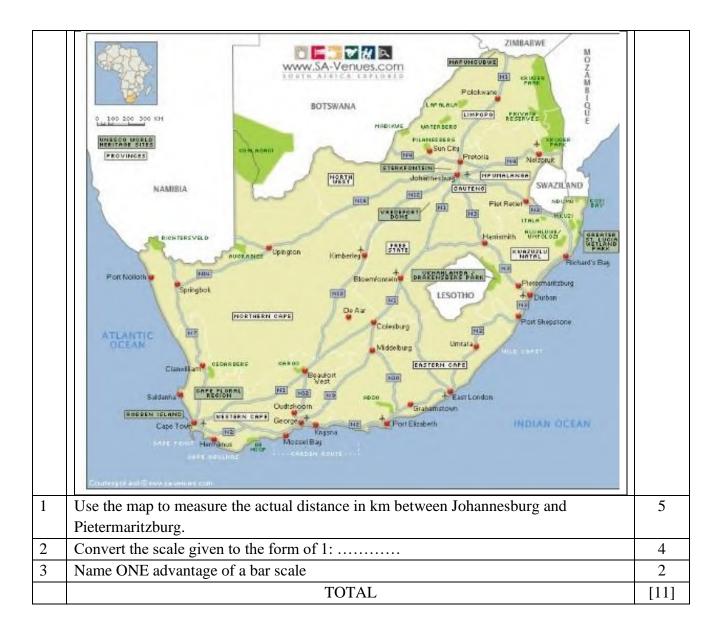
- 1. Bar scale
- 2. If the map is enlarged or reduced the scale will give accurate lengths or Distances.
- 3. 60mm (not accurate please re measure)
- 4. 20mm: 200km *20mm(not accurate please re measure)

60mm : X

X = 600 km

ACTIVITY

Mthembu family lives in Pietermaritzburg. A map of South Africa is given below showing the different towns



TOPIC:	MEASUREMENTS
SECTION:	CONVERSIONS
OBJECTIVES:	In this section you will learn the following
Stannorephysics.com	 how to convert between the units of measurement (i.e. length, mass and volume) learn how to convert between the metric units of length(mm, cm, m and km), mass(g, mg and kg) and volume(ml and litres) how convert between metric units and imperial units using the given conversion factors and/or tables how convert between the solid units and liquid units using the conversion factors or tables how to convert between the units of temperature(i.e. °F and °Cusing the formulae how to use proportion and conversion to calculate the amount of material required how to compare solutions to a problem in different units to make a decision as to which unit is appropriate.
TERMINOLOGY	Units of mass
	Units of length
	Units of volume(liquids)
	Express/convert
	Imperial units
	Metric units
	NOTES

mm

x10

$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	m m² c³ 100 10 000 1 000 000 cm cm² cm³	$\begin{array}{cccccccccccccccccccccccccccccccccccc$
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	100 10 000 1 000 000 cm cm ² cm ³	mm^2 cm^2 m^2 km^2
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	cm cm ² cm ³	mm^2 cm^2 m^2 km^2
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		mm^2 cm^2 m^2 km^2
1000 $x10^2$ $x100^2$ $x1000^2$		
mm ³		v_102 v_1002 v_10002
	mm mm ² mm ³	X10° X100° X1000°
		$x10^2 x100^2 x1000^2$
	PERIMETER	
		VOLUME
VOLUME	$\div 10$ $\div 100$ $\div 1000$	

 $\div 10^{3}$ $\div 100^{3}$

 $x100^{3}$

mm³ cm³

 $x10^{3}$

÷1000³

x10003

 $\,\mathrm{km^3}$

	WORKED EXAMPLES
QUESTION 1	

km

x1000

x100

1. Convert the following:

15cm to mm

• $15cm = 15 \times 10mm$ = 150mm

50cm to m

• $50cm = \frac{50}{100}m$ = 0.5mor $50cm = 50 \times \frac{1}{100} = 0.5m$

2km to m

- $2km = 2 \times 1000m$ = 2000m
- 2. Express:

2litres as ml

• $2litres = 2 \times 1000$ = 2000ml

200g as kg

$$200g = \frac{200}{1000} kg = 0.2kg$$

3. Convert the normal body temperature of a human 36.9 degree celcius to degree Farenheit

You may use the formula: ${}^{\circ}F = (1.8 \times {}^{\circ}C) + 32$

•
$${}^{\circ}\mathbf{F} = (1.8 \times {}^{\circ}\mathbf{C}) + 32$$

= $(1.8 \times 39.6) + 32$
= $71.28 + 32$
 ${}^{\circ}\mathbf{F} = 103.28$

4. If 1cup =250ml and 1teaspoon = 5ml and 1tablespoon =15ml

Calculate how many tablespoons are there in 1cup

• from conversion factors

Number of 15ml in 250ml will be equal to the number of tablespoons in 1cup

$$tablespoons = \frac{250}{15}$$

$$= 16.666666 tbspn$$

$$= 16.67 tbspn$$

$\frac{3}{4}$ cup is equal to how many ml?

$$\frac{3}{4}cup = \frac{3}{4}(250ml) = 187.5ml$$

OR

$$1 \text{cup} = 250 \text{ml}$$

 $0.75 \text{cup} = ? \text{ml}$
 $\text{ml} = 0.75 \text{x} 250 \text{ml}$
 $= 187.5 \text{ml}$

ACTIVITIES

Given below is a simple cheese and tomato pizza recipe. Study the recipe and answer thequestionsthatfollow.

SIMPLECHEESEANDTOMATOPIZZA (Makes1large pizza) ³/₄ cup homemade pizza dough 1tbspoliveoil 2 cloves garlic 75 mℓ tomato paste 0,23kgmozzarellacheese 2tomatoes **Remember:** $1 \text{cup} = 250 \text{m} \ell$ Saltandpeppertotaste 1 Tablespoon=15 mℓ Converttheamountofcheese tograms 1.1 1.2 Howmany tablespoonsof tomatopaste are neededfor this recipe? 1.3 4 Determine the amount of homemade pizza doughneeded for 3 largepizzas. Giveyouranswerto the nearest millilitres($m\ell$). 1.4 If there is 1litre of tomato paste available, how many pizzas can be made from it? /11/ **ACTIVITY 2** Lay lalikes baking chocolate muffins at home. Shewant stobake 24 muffins in one tray at the contraction of the contraction of180°Cfor 25minutes. **Ingredients** (24muffins) 1 kg snow flake chocolate muffin mix 4extra-largeeggs $310 \text{ ml}(1\frac{1}{})$ cup cooking oil 400mℓwater

[Source: fotosearch.com]

2.1.	How many grams of snowflake chocolate muffin mix will		
	she need to bake48 chocolate muffins?		
		4	
2.2.	Convert180°Cto°F	2	
	Use the formula: ${}^{\circ}F = (1.8 \times {}^{\circ}C) + 32^{\circ}$		
2.3	If she started baking at 05:30:56 am., what will be her	2	
	finishing time?		
2.4	She was approached by the Pet Primary School to serve their		
	1 117 learners with the chocolate muffins on the school's		
	birthday. Each learner gets one muffin. How many trays of		
	muffins will she bake for the school?		
	ACTIVITY 3		

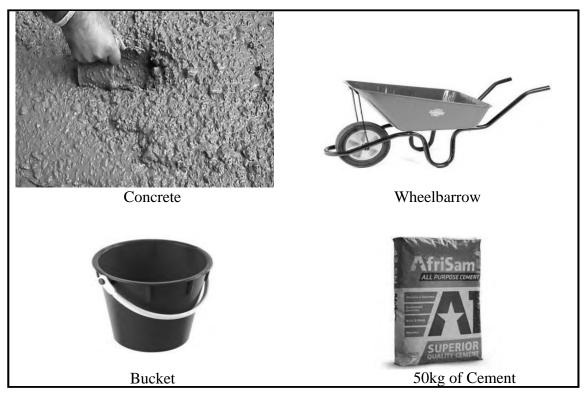
3. Mr Rankhakile is a fisherman.Before he goes to the sea shore to fish, he studies thetide table. Below are the two tide tables for Durban showing tides for Tuesday28/01/2020andWednesday29/01/2020.

28/01	1/202	0				29/01	/2020			
Tide		7	Гіте		Height	Tide	Т	ime	e Heig	ght
Hightide		5:44am		5:44am 1		Hightide	6:	13a	1,86	óm
							m			
Lowtide		11:	49am		0,43m	Lowtide	12:	18p	0,50	m
							m			
Hightide		5:49pm			1,8m	Hightide	6:1	l7p	1,76	im
							m			
Lowtide		11:	59pm		0,35m	Lowtide	:			
Surmise	Sun	set	Moo	n	Moon	Sun	Sunse	et]	Moonrise	Moonset
5:20am	6:50	брт	rise		set	rise	6:55	٥	9:10 am	9:51pm
			8:17	am	9:21pm	5:21am	pm			

3.3	Converttheheightofthehightideon29January2020inthe	
	afternoon.tofeet(ft)	4
	Note:1foot=30,48cm	

ACTIVITY 4

4 Kim is the young botanist who is in love with the birds and in her house she has a bird cage for keeping different kinds of birds. She is planningtobuildaconcretefloorforhisbirdcage for keeping the on the safe



Kim needs a concrete mixture of $0.27m^3$ of cement, sand and gravel tomake a concrete floor for his bird cage. He has a bucket with a capacity of 8 ℓ and a wheelbarrowwitha capacity of 50l.

Assume that 1 m³=1000litres

1kg = 1litre

4.1	Calculatehowmany litresofconcrete mixturewill beneededto buildafloorfor his	2
	cage.	
4.2	Kim made a claim that she is going to need more than 10 kg of	
	cement and more 3kg of gravel to make the concrete cage for the	
	birds.	
	If the ratio of cement to sand to gravel is $1:3:5$ to make a 0.27 m ³ .	6
	Verify if her claims are valid.	
4.3	Calculate the number of buckets of sand she is going to need to make the concrete	4
	of 0.27m^3	

ha	as a total of41 grass courts co	ionships are held in London annually. Wimbledonsisting of 19 match courts and 22 practice
		Interesting facts about Wimbledon. TERESTING FACTS ABOUT
	Grounds (size)	13,5 acres
	Car parks	42 acres
	Grounds (capacity)	39 000 spectators on the grounds at any time
	Centre Court (main court)	14 979 seats Maximum spectators: 15 000
	No. 1 Court	11 393 spectators
	Staff size	6 000
	Large TV screen (size)	40 square metres
N	OTE: 1 acre =4.407m ²	
l E	xpress the area of the carparks	in square metres
E	xpress the size of a tv screen	in square centimetres
W		ty (to the nearest unit) of the spectators at the your answer in square metres. $asity\ of\ spectators = \frac{number\ of\ spectators}{ground\ size\ in\ acres}$

TOPIC: MEASREMENTS

SECTION: AREA

OBJECTIVES: The Learners should be able to:

- Explain the meaning of terms(e.g. "area", "perimeter", "volume", "radius", etc).
- Identify from a list of given formulae which formulae relate to perimeter calculations, which relate to area calculations, etc.
- Determine the radius of a circle from a given diameter.
- Know that area is expressed in units2 (e.g. cm2)
- Calculate area by substituting given values to the given formulae.
- Perform preliminary calculations to determine dimensions required in area calculations and then calculate area.

Use area calculations to complete a project, where it is not stated specifically what type of calculation is required.

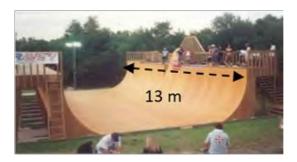
TERMINOLOGY: AREA, REDIUS, UNIT OF MEASUREMENT, 2-D DRAWING, CIRCUMFERENCE, DIAMETER, LENGTH, ROUNDING OFF

NOTES

WORKED EXAMPLES

Skateboarders often enjoy performing tricks on a specialramp called a halfpipe (shown alongside).

1. Use the diagrams alongside to calculate the area of thecurved skating surface of the halfpipe.



Radius of

3.6 m

Quarter circle:

If a surface has the same width all along its length, it then forms a large rectangle, so we can calculate the length of the edge and use it as the length of the rectangle:

Answer:

Downloaded from Stanmorephysics.com Total length of the edge = $2 \times \frac{1}{4} \times \pi \times d + 3.6m$

$$= 2 \times (0.25) \times (3.142) \times (5.48 \text{ m}) + 3.6 \text{ m}$$

$$= 8,61 \text{ m} + 3,6 \text{ m}$$

$$= 12,21 \text{ m}$$

Therefore, total area of ramp surface = length \times breadth

$$= 12,21 \text{ m} \times 13 \text{ m}$$

- $= 158,73 \text{ m}^2$
- 2. A special board is used on the surface. The board is sold in rectangular pieces (width: 1,5 m, length: 3,0 m). Use the area of the board to estimate the number of boards needed to cover the skate surface of this halfpipe.

Answer:

We can only *estimate* the number of boards as we would need to check how the boards fit together, but an estimate is useful when getting a rough idea of how many boards might be needed:

We can estimate the number of boards by dividing the area of one board into the total area of the ramp:

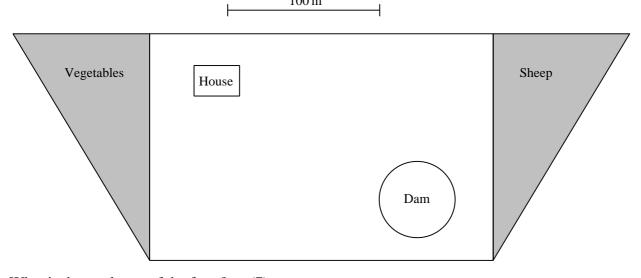
Area of 1 board = length
$$\times$$
 breadth
= 1,5 m \times 3,0 m
= 4,5 m²

Number of boards = Total area ÷ Area of 1 board = 158,73 m² \div 4,5 m² = 35,27 boards \approx **36 boards needed.**

ACTIVITIES

ACTIVITY 1 [15 MARKS]

The scale drawing below shows the plan of a small farm



What is the total area of the farm? (7)

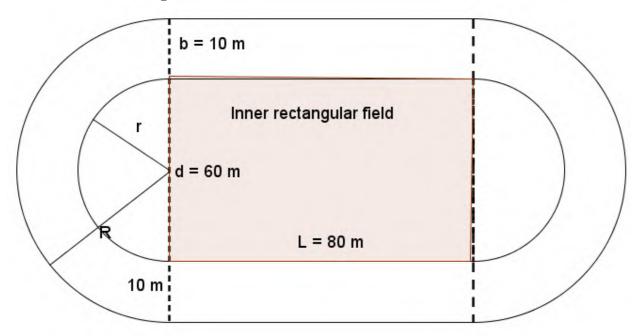
Estimate how far it is from the corner of the house nearest to the dam to the edge of the dam itself.(2)

What is the area of the dam? (The area of a circle is πr^2 .) (3)

If the dam is 3 m deep, how many litres of water does it contain? $(1 \text{ m}^3 = 1 \text{ kl})$ (3)

ACTIVITY 2 [11 MARKS]

The main field at SIMINUYE High School is converted to an athletic track which consists of semi-circles and rectangular areas as shown below..



The diameter of the inner semi-circles is 60 m. The distance between the inner and outer semi-circle is 10 m. The track consists of an 80 m straight.

- 2.1Calculate the diameter of the outer-semi circle(2)
- 2.2Calculate the outer perimeter of the track, using the formula:

Perimeter = π (diameter of outer semi-circle) + 2 length of straight (use $\pi = 3,142$)(3)

2.3The school decides to use the inner rectangular field for field events. Calculate the area of this rectangular field.

(Area of rectangular field = length width)(2)

2.4Calculate the area available for running the various track events, using the formula: Area for (4)

track events = π (R-r)2 + 2 (L b)(use π = 3,142)

Note: R is the radius of the outer semi-circle

r is the radius of the inner semi-circle

L is the length of the straight

b is the distance between the semi-circles

ACTIVITY 3 [26 MARKS]

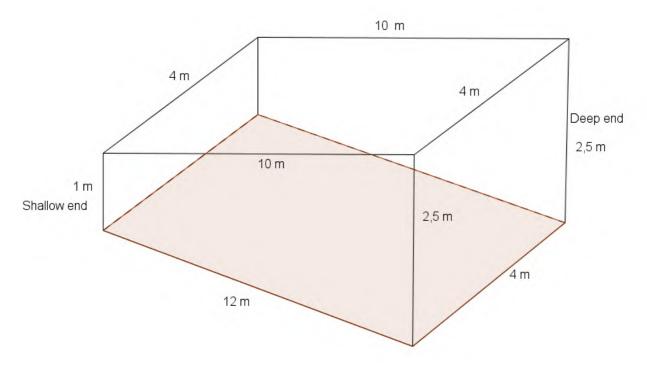
Mr Blauw, a teacher at Bayview High school asks a local pool builder to build a pool with dimensions asshown in the diagram below. The pool has a depth of 1 m at the shallow end and 2,5 m at the deep end.

The pool is made up of the following geometric shapes:

Rectangles at the shallow end (4 m by 1 m) and at the deep end (4 m by 2,5 m). Thus, the width of the pool is 4 m.

Trapeziums on the sides with parallel sides 1 m and 2,5 m and height 10 m. NB: The height of thetrapezium is the length of the pool.

A rectangle on the base with dimensions 12 m by 4 cm



3.1Calculate the area of the one of the side surfaces (trapezium).

Use the formula:

Area of trapezium = $\frac{1}{2}$ (sum of parallel sides) (height of thetrapezium(4)

3.2All inner surfaces of the pool have to be tiled. Calculate the area (in m2) of the surfaces to be tiled.

Use the formula:

Area of tiled surfaces = 2 area of the side surfaces (trapeziums) + area of the base + area of rectangle at shallow end + area of rectangle at deep end (5)

- 3.3Workmen who tile always order 10% more than the number of square metres of tiles needed, rounded off to the nearest whole number. Determine the number of square metres of tiles ordered.(2)
- 3.4The dimensions of each tile is 15 cm by 15 cm.
- 3.4.1 Calculate the area of one tile (in cm2).(2)
- 3.4.2 Calculate the number of tiles purchased. (NB: 1 m2=10000cm2)(3)
- 3.5The cost of the tiles is R79,99 per square metre.
- 3.5.1 Calculate the total cost of the tiles purchased. (2)
- 3.5.2 Calculate the cost of one tile. (2)
- 3.6The pool is filled to capacity.
- 3.6.1 Calculate the volume of water which can be filled in the pool. Leave your answer in kilolitres (kl). (1m3 = 1 kilolitre)

Use the following formula:

Volume = Area of trapezium (from question 2.1) width of the pool (3)

3.6.2 The municipality charges R4,99 (excluding VAT) for each kilolitre of water. What is the cost, including VAT, to fill the pool? (3)

TOPIC:MEASUREMENTS

SECTION:MASS (WEIGHT)

OBJECTIVES: Learners should be able to:

- Determine mass (weight using appropriate measuring instrument.
- Perform complex projects in both familiar and unfamiliar contexts
- Calculate cost of certain amount of product.
- Calculate values using formula involving mass (weight)

TERMINOLOGY: conversion, mass, weight Body Mass Index

NOTES: Mass (weight)- measured using (kitchen, bathroom, travelling and electronic scales)

- In airports they use electronic scale to measure the weight in a luggage
- At the butcheries, fruit and vegetable shops they use kitchen scale /electronic scales to measure weight of meat or fruits for pricing.
- Health practitioners use bathroom scales to measure babies weight in order to decide on the correct dosage for medicine. Bathroom scales are also used to measure weight of adults for different purposes.

Transport department use weigh bridges to weight trucks. The truck driver drives onto a special strip of road that is connected to a digital scale.

WORKED EXAMPLES

QUESTION 1 Marks

1.1 1. A lift I a shopping mall has a notice that indicates that it can carry 2,2 tonnes or a maximum of 20 people. Work out what the engineer who built the lift estimated the maximum weight of a person to be in kg.

1 tonne = 1000 kg

Solution:

Convert the tonnes: $2.2 \times 1000 = 2\ 200kg$ Mass of one person: $2\ 200 \div 20 = 110\ kg$

Engineer estimated the maximum mass of 1one person of be 110 kg

1.2 1. Determine which bag of sweets is cheaper

Sweet chews: 280 g for R13, 99 and Happy tastes: 320g for R16,50

Solution:

Divide prices by grams to find price for one sweet in both scenarios

Sweet chews: $\frac{R13.99}{280g}$ = R 0.04996428571

Happy tastes:
$$\frac{R16.50}{320g} = R0.0515625$$

1.3 1. Ismail is 16 years old. He weighs 78kg and is 1,62m in height. Using the formula for Body Mass Index

$$BMI = \frac{mass (kg)}{[height (m)]^2}$$

Use this information to suggest if Ismail is underweight, normal, overweight or obese

BMI	CLASSIFICATION
< 18.5	underweight
≥ 18.5 and < 25	Normal
≥ 25 and < 30	overweight

Downloaded from Stanmorephysics.com ≥ 30 obese

$$BMI = \frac{mass (kg)}{[height (m)]^2}$$
$$= \frac{78}{1.62^2}$$
$$= 29.72 kg/m^2$$

Ismail is overweight

ACTIVITIES

QUESTION 1 Marks

1.1

The table shows the height and mass for four girls
Use the formula: $BMI = \frac{mass(kg)}{[height(m)]^2}$ to complete the table.

	[/t	cigiti (iii)]			
	height	Mass	BMI	Status	
Lihle	1.60m	72 kg			
Amahle	1.65 m	46 kg			(10)
Okuhle	1.70 m		33kg/m^2		(-*)
Lisa		72kg	21 kg/m^2		

Which luggage suitcase is the heaviest? 1.2

Suitcase A: 2.19kg Suitcase B: 1.11142t Suitcase C 4 215 g

NOTE: 1 ton = 1 000 kg**(5)**

Calculate the cost of 0.25 pounds of gold, if gold cost R13 070.58 per ounce 1.3

Note: 1 ounce = 28.3495g **(3)**

> **TOTAL** [18]

TOPIC:MEASUREMENTS

SECTION: MASS(WEIGHT)/GROWTH CHARTS

OBJECTIVES: Learners should be able to:

- Monitor and manage mass (weight)
- Interpret growth charts

TERMINOLOGY: Reading from the graph

Interpretation Analysing

NOTES: Types of charts

Road to health charts (for 0-24 months' babies)

Chart for girls (2 -20 years) Charts for boys (2- 20 years)

NB: the charts for girls and boys (0-20 years) are different.

Example

Consider two girls: Amy is 9 years old. She is 1,29 m tall and weighs 33 kg. Nontando is 12 years old. She weighs 46 kg and is1,52 m tall.

Their BMI's are as follows:

$$BMI = \frac{Weight (kg)}{Height (m)^2} = \frac{33 \ kg}{(1,29)^2} = \frac{33 \ kg}{1,6641 \ kg^2}$$

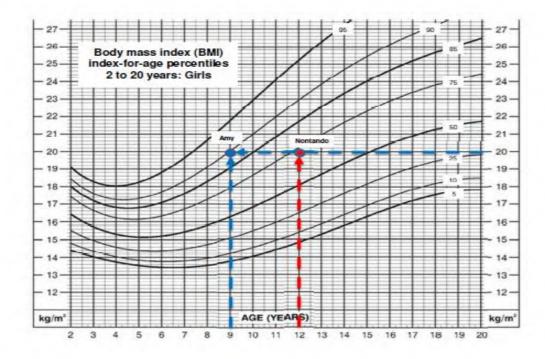
$$= 19, 83 \ kg/m^2$$

$$Nontando$$

$$BMI = \frac{Weight (kg)}{Height (m)^2} = \frac{46 \ kg}{(1,52)^2} = \frac{46 \ kg}{2,3104 \ kg^2}$$

$$= 19, 91 \ kg/m^2$$

Notice that they both have the same BMI. According to *adult* BMI assessments from Grade 11, both girls are perfectly normal. Now we reference the appropriate BMI growth curve for girls and plot each girl's age versus her BMI:



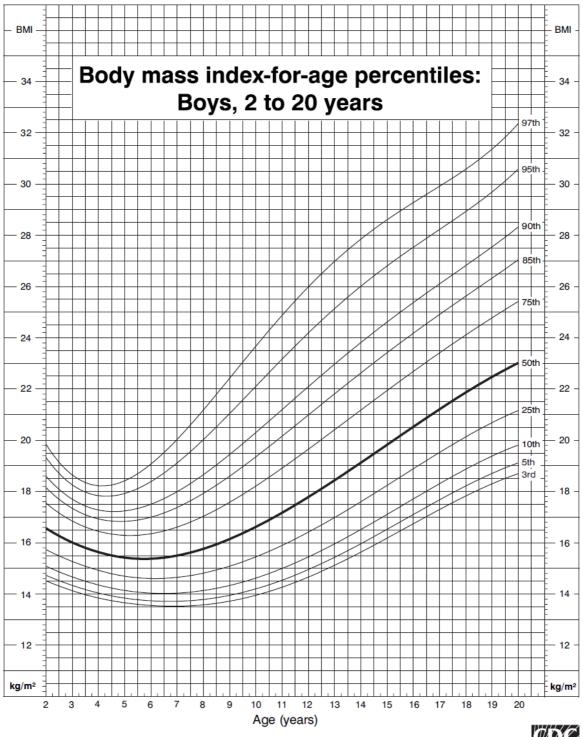
'n	_			_	\sim 1	The second secon
1		$1 \cap (\lambda/n)$	INAMEM	trom	Stanmorp	physics.com
-1	_	<i>'</i> ()	mauta	11 (7)11	Starino G	JI I V 310 3 . GOTH

WORKED EXAMPLES

QUE	STION 1	Marks
1.1	1. A 16-year-old boy has a BMI of 23kg/m², determine his percentile?	(2)
	Solution: draw a vertical line at 16 years and a horizontal line at the BMI of 23kg/m².	
	The two lines meet between 75 th and 85 th . Therefore, the girls BMI is between 75 th and 85 th percentile.	
1.2	What is the BMI of a 17 year old girl if her BMI places her at the 50 percentile?	
	Solution: draw a vertical line at 17 years until the line touches the 50 th curve, then draw a horizontal line to read the BMI Her BMI 21 kg/m ²	(2)
1.3	Within what range can a 10-year-old boy's BMI be if his weight is to be considered "healthy"? Solution: healthy means percentile ranging from 5 th to 85 th	
	Draw a vertical line at 10 years until it touches the 5 th percentile curve and draw a horizontal line to read the BMI,	(4)
	extend the vertical line at 10 years until it touches the 85 th curve and draw a horizontal line to read the BMI.	
	Ranges from 14,5 kg/ m^2 to 18,5 kg/ m^2	
1.4	BMI is calculated using formula:	
	$BMI = \frac{mass(kg)}{[height(m)]^2}$	
	What is the weight status of a 15 year old learner who is 120cm tall and weighs 45kg? (5) solution : $\mathbf{BMI} = \frac{45}{(1.2)]^2}$	(5)
	$= 20 \text{ kg/}m^2$ TOTAL	[13]
QUE	ACTIVITIES STION 1	Marks
1.1	Use the growth charts below and answer questions that follow Explain what it means that a 7 year old boy has a weight-for-age ratio that places him on the 50 th percentile graph	(3)
1.2	Jane and Tom have two girls, Rose who is 2 years old and Joy who is 8 months old. The growth chart for girls is shown in ANNEXURE B in the Use the information above and ANNEXURE B to answer the following questions:	(-)
	1.1 Rose's weight at birth is on the 75 th percentile curve.	(2)
		(2)

Downl	oad	ed from Stanmorephysics.com Give the other name of the 75th percentile curve.		
	(a)	Give the other name of the 73 percenthe curve.	(2)	
	(b)	Determine Rose's weight (in kg) at birth.	(2)	
means	(c)	Rose's weight is on the 75 th percentile curve. Explain what this	(2)	
girls a	(d) re heav	If there are 35 000 two year old girls in South Africa, how many vier than Rose?		
2.2 Determ	-	s age-for-height relationship lies on the 90 th percentile curve. er length in cm. TOTAL		[]
		Tom have two girls, Rose who is 2 years old and Joy who is 8 d. The growth chart for girls is shown in ANNEXURE B in the		
Use th question		rmation above and ANNEXURE B to answer the following		
5.1.1	Rose	's weight at birth is on the 75 th percentile curve.		
	(a)	Give the other name of the 75 th percentile curve. (2)		
	(b)	Determine Rose's weight (in kg) at birth. (2)		
means	(c) . (3)	Rose's weight is on the 75 th percentile curve. Explain what this		
girls a	(d) re heav	If there are 35 000 two year old girls in South Africa, how many vier than Rose? (2)		
5.1 2 Determ	•	s age-for-height relationship lies on the 90 th percentile curve. er length in cm. S (2)		

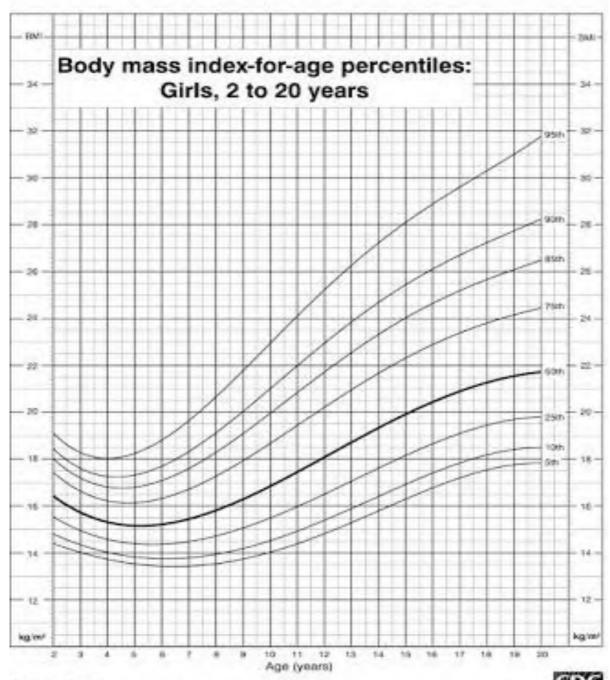
CDC Growth Charts: United States



Published May 30, 2000.

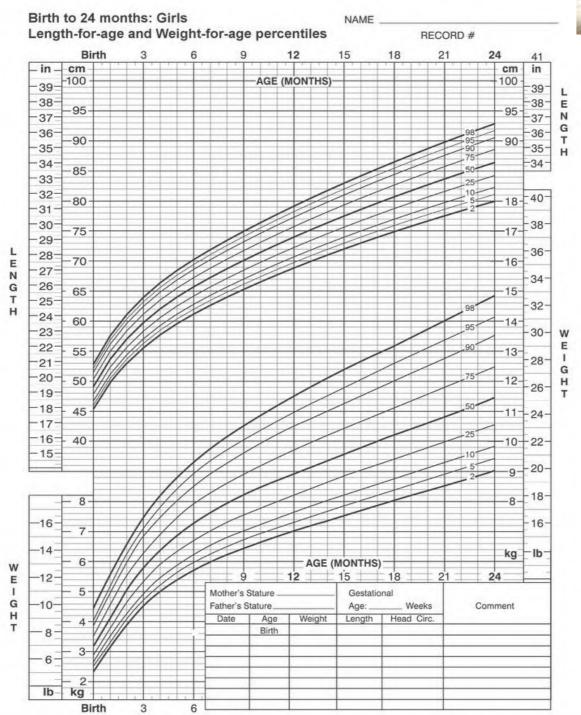
SOURCE: Developed by the National Center for Health Statistics in collaboration with the National Center for Chronic Disease Prevention and Health Promotion (2000).





Published May 30, 2000 SOURCE: Developed by the National Center for Health Statistics in collaboration with the National Center for Chronic Develop Provincians and Health Proposition (IDMD)

BAPEN - HEALTHER-PROPLE





TOPIC: MAPS AND PLANS...

SECTION: ASSEMBLY DIAGRAMS

OBJECTIVES

Learner will be able to use instruction/assembly diagrams, containing words and/or pictures, found in manuals for:

- plugs
- plastic models
- unassembled wooden furniture units
- cell-phones (e.g. installing a battery and sim card; or operating instructions)
- electrical appliances that require individual components to be connected (e.g. connecting speakers to a hi-fi; or connecting an aerial to a television)
- children's toys including Lego-type kits.

In order to:

Complete the task presented in the instructions and/or explain what the instructions mean and/or represent, using everyday language.

TERMINOLOGY

Assemble = put together

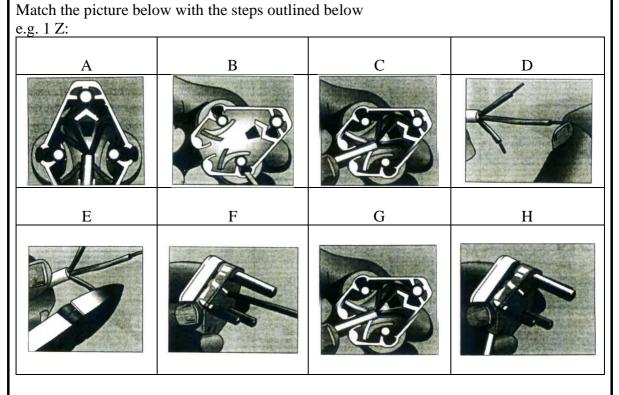
Components = parts or pieces

NOTES

WORKED EXAMPLES

QUESTION 1

Marks



- 1. Using cutters/pliers, expose the end of the 3 wires inside the electrical cord by cutting away the plastic. Expose about a centimetre.
- 2. Twist the strands of copper wire until each strand is wound tight.
- 3. Remove the cover of the 3 pin plug by unscrewing it. Some plugs snap open with a flat screwdriver.
- 4. Unscrew the small screws found on each pin.
- 5. Put the twisted copper wire into the correct holes in the pin.
- 6. Tighten the little screws to clamp the wires in place
- 7. Make sure the cord is tightly clamped at the bottom of the plug so that it will not be pulled out.
- 8. Replace the cover of the plug

1.1 SOLUTION

- 1. E
- 2. D
- 3. F
- 4. B
- 5. A
- 6. C/G
- 7. C/G
- 7.
- 8. П
- 1.2 What colour wire should be inserted in the top pin?

Green and yellow

1.3 Why is it important to wire an electrical appliance correctly?

If it is not wired correctly, you can get shocked and might die.

The appliance can blow u

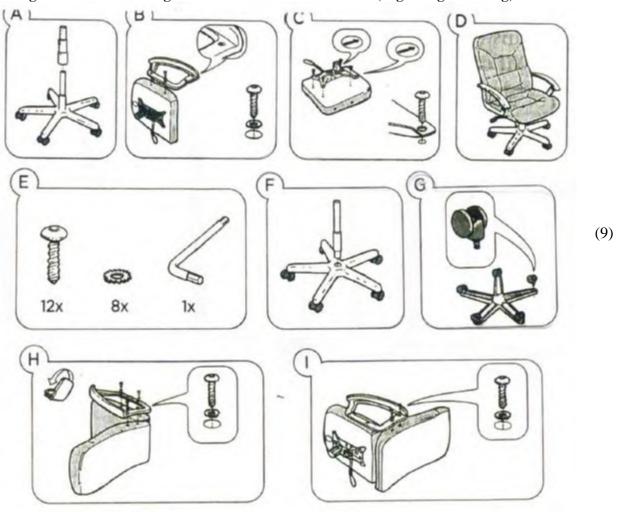
TOTAL ACTIVITIES

QUESTION 1 Marks

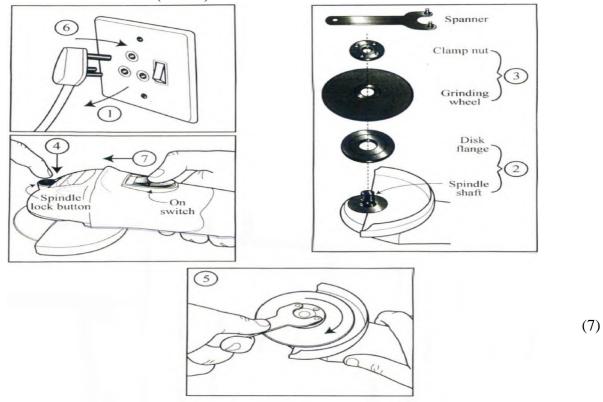
[]

1.1 List two of the advantages of using diagrams, instead of words, to show how to assemble something (4)

Downloaded from Stanmorephysics.com 1.2 Arrange the instruction diagrams below in the correct order (beginning to ending)



Downloaded from Stanmorephysics.com
The school maintenance supervisor had to install a new grinding disc onto an angle grinder. Put the written instructions (A to G) in the correct order



- A. Push down on the spindle lock button to lock the spindle before tightening the clamp nut with the spanner
- B. Put the disc flange on the grinder spindle shaft, and then put the grinding wheel on top
- C. Plug the three pin plug into the power socket
- D. Isolate and remove the angle grinder plug before assembling the grinding disc.
- E. Put the clamp nut on top of the grinding wheel and screw until tight onto the spindle shaft
- F. Once the spindle lock button is pressed, tighten the clamp nut onto the grinding disc with the spanner, turning clockwise
- G. Push the ON switch forward to test the grinder.

TOTAL [20]

TOPIC:MODELS

SECTION: SOLVING PACKAGING PROBLEMS

3D SCALE MODELS

2D PICTURES (ITEM ARRANGEMENTS, ESTIMATE MATERIAL QUANTITIES)

OBJECTIVES:

The learners must be able to:

- The most cost-effective and convenient way to pack cans or boxes
- The packaging must be such that the space is optimally utilized

TERMINOLOGY

- Dimensions (length, width, height)
- Volume ,Area, Surface Area

NOTES

The teacher must address the following when dealing with packaging

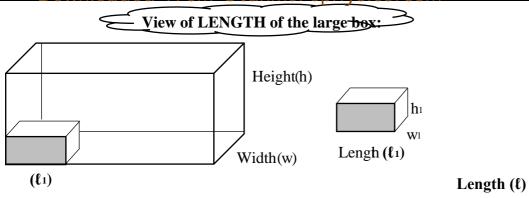
- What aspects of Packaging are important?
- What shapes is packed?
- What shape is packed into?
- How is it packed?
- Optimal use of Space
- Cost efficiency

PACKAGING METHOD 1:

Length - wise: The LENGTH of the small box is packed along the LENGTH of the LARGE CONTAINER / BOX.

CALCULATION:

The number of small boxes that can be packed along length = Length (ℓ) of large container / box \div length (ℓ_1) of small box

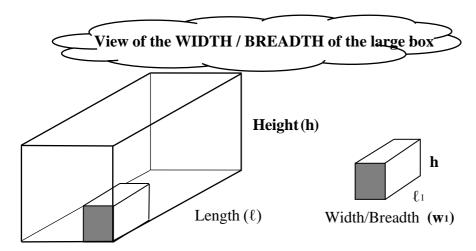


Width -wise: The WIDTH of the small box is packed along the WIDTH / BREADTH of the LARGE CONTAINER / BOX.

CALCULATION:

The number of small boxes that can be packed along WIDTH =

Width (w) of large container / box \div width (w₁) of the small box



Width/Breadth (w)

Height - wise: How many boxes can be packed along the HEIGHT of the BIG BOX / CONTAINER? **CALCULATION:**

The number of small boxes that can be packed along the HEIGHT =

Height (h) of large container / box ÷ Height (h1) of the box

- TOTAL BOXES PACKED = number at length \times number at width \times number at height
- NUMBER OF BOXES PACKED ON BASIS = Number on length × Number on width

Packing a rectangular box in a rectangular container/large box:

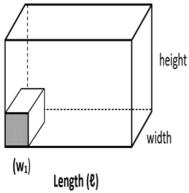
PACKAGING METHOD 2:

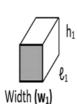
Length-wise: The width of the small box is packed along the LENGTH of the large container / box.

CALCULATION:

The number of small boxes packed along the length =

Length (ℓ) of large container / box \div width (b_1) of the small box

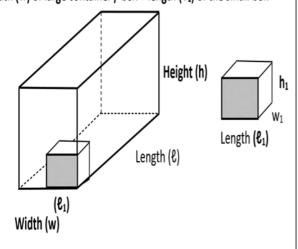




Width - wise: The LENGTH of the small box is packed along the WIDTH of the large container / box.

CALCULATION:

The number of small boxes that can be packed along the WIDTH = Width (w) of large container / box \div length (e_1) of the small box



Height - wise: How many boxes can be packed along the height? CALCULATION:

The number of small boxes that can be packed next to HEIGHT = Height (h) of large container / box \div Height (h₁) of the small box

What aspects of PACKAGING are important to us?

What is packed? Rectangular boxes and cylindrical cans/tins What is it packed into? Rectangular Containers / Boxes **How is it packed?** There are different packaging ways e.g. packaging methods 1 and 2 but optimal use of space and cost-effectiveness must also be taken into account.

OPTIMAL / MAXIMUM USE OF SPACE:

The boxes or cans should be packed in such a way that it fits the largest number of boxes/cans/tins~ in a container/box.

COST EFFICIENCY:

Packaging materials are expensive. The smallest container may need to be used for packaging ~ of a certain number of boxes /tins /cans.

WORKED EXAMPLES

QUESTION 1 Marks

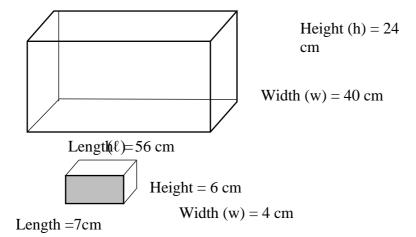
1.1 The small boxes must be packed in the big box.

(11)

Verify which of the following packaging options will be cost effective: **Option 1**: The length of the small box along the length large box/container

Option 2: The width of the small box along box/container

Show all calculations to justify your answer



SOLUTION: OPTION 1:

The length of the small box along the length of the large box / container

Length - wise:

The number of small boxes that can be packed along the LENGTH

- = length of large box ÷ length of small box
- $= 56 \div 7$ ✓ M
- = 8 boxes

Width - wise:

The number of small boxes that can be packed along the WIDTH

- = width of large box ÷ width of small box
- $=40 \div 4 \checkmark M$
- = 10 boxes

Height - wise:

The number of small boxes that can be packed along the HEIGHT

- = Height of big box ÷ Height of small box
- $=24 \div 6 \checkmark M$
- = 4 boxes

TOTAL BOXES PACKED

- = Number at length \times Number at width \times Number at height
- $= 8 \times 10 \times 4 \checkmark M$
- = 320 boxes ✓ CA

Downloaded from Stanmorephysics.com **OPTION 2:**

The width of the small box along the length of the large box / container

Length - wise:

The number of small boxes that can be packed along the LENGTH

- = length of large box ÷ width of small box
- $= 56 \div 4 \checkmark M$
- = 14 boxes

Width - wise:

The number of small boxes that can be packed along the WIDTH

- = width of large box ÷ length of small box
- $= 40 \div 7 \checkmark M$
- = 5.7 = 5 boxes

Height - wise:

The number of small boxes that can be packed along the HEIGHT

- = Height of big box ÷ Height of small box
- $=24 \div 6\checkmark M$
- =4 boxes

TOTAL BOXES PACKED

- = Number at length × Number at width × Number at height
- $= 14 \times 5 \times 4 \checkmark M$
- = $280 \text{ boxes} \checkmark \text{CA}$

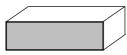
Conclusion

Option 1, more boxes can be packed and it will be more compact. ✓ J

1.2 Determine how many cans/tins box. Show all calculations.

(7)

Box dimensions:



Height = 180 mm

Width = 43 cm

Length = 85 cm

Dimensions of the tin/can:

Radius = 3.5 cm

Height = 8.57 cm



Diameter = $3.5 \times 2 = 7 \text{ cm } \checkmark M$

Conversion: Height = $180 \text{ mm} \div 10 = 18 \text{ cm} \checkmark \text{C}$

Length - wise:

The number of cans/tins that can be packed along the LENGTH = Length of large box \div diameter of the tin

 $= 85 \div 7$

Downloaded from Stanmorephysics.com = $12,14 \approx 12 \text{ cans/tins } \checkmark M$

Width - wise:

The number of cans/tins that can be packed along the WIDTH = Width of large container / box \div diameter of the tin = $43 \div 7$

 $= 6.14 \approx 6 \text{ cans/tins } \checkmark \text{M}$

Height - wise:

The number of cans/tins that can be packed next to HEIGHT

= Height of large container / box ÷ Height of the tin

 $= 18 \div 8.57$

= $2.1 \approx 2$ (cans/tins/layers) \checkmark C

TOTAL CANS/TINS PACKED = number at length \times number at width \times number at height

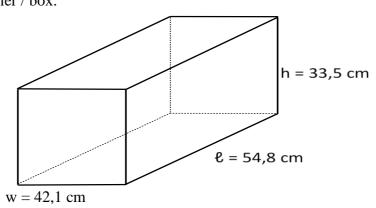
$$= 12 \times 6 \times 2 \checkmark C$$
$$= 144 \text{ tins } \checkmark CA$$

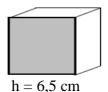
TOTAL [18]

ACTIVITIES

QUESTION 1 Marks

1.1 Calculate the number of small boxes that can be packed in the large box if it is (8) packed along the container/box if the length (ℓ) of the small width(w) of the container / box.





Downloaded from Stanmorephysics.com w = 87 mm

 $\ell = 10.2 \text{ cm}$

1.2 A box of 24 cans of Diet Coke is displayed.



The radius of a can of Diet Coke is 3.5 cm. The cans are packed as in the picture. Calculate the minimum length and minimum width of the box to contain the 24 cans of Diet Coke.

1.3 Use the bookshelf and a book's dimensions to determine how many books can be (5) packed into the TWO shelves if the books are packed in its width (w) along the length of the bookshelf



QUESTION 2

The TVs are boxed and packed into shipping containers before they are exported. The boxes the TVs are packaged into have the dimensions 97 cm \times 10 cm \times 59 cm. The shipping containers have the dimensions $6 \text{ m} \times 2,4$ $m \times 2.6 m$.

how many

An employee calculates TVs will fit in one container.



(5)

[18]

His calculations are shown below:

Volume of container = $6 \times 2, 4 \times 2, 6$



 $= 37,44 \text{ m}^3$

Volume of each TV box = $0.97 \times 0.59 \times 0.1$

 $= 0.05723 \text{ m}^3$

Number of TVs in container = Volume of container ÷ Volume of box

 $= 37,44 \div 0,05723$

=654,2

 $\approx 654 \; TVs$

Neo, a Mathematical Literacy learner, recognises that the employee has made a common mistake in calculating the number of boxes that can fit.

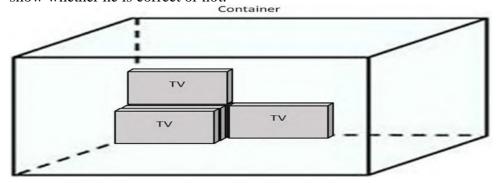
Explain, in words, what the mistake is

2.1

2.2

(2) (9)

Neo stated that 576 TVs can fit into this container if the boxes are packed in the following way as illustrated in the diagram below. By means of calculations, show whether he is correct or not.



Note: The diagram is not drawn to scale and shows only a few of the boxes so that you may see how they are packed.

TOTAL [11] [29]

LEARNER DOCUMENT

TOPIC: PROBABILITY Trom Stanmorephy GRADE: 12

SECTION: PROBABILITY OF SIMPLE EVENT

RELATIVE FREQUENCY AND THEORETICAL PROBABILITY

COMPOUND EVENT

LESSON OBJECTIVES

At the end of the lesson the learner must be able to

Interpretations and calculations involving scenarios involving probability. You should be able to see how probability applies in data tables, graphs and any possible way where it could be applied.

You need to be able to do the following:

Explore probability in scenarios that involve:

- Games with coins & dice
- Weather predictions

Work with expressions of probability in that you:

- Understand the difference between the terms: outcome and event.
- Recognise that probability can be expressed using a scale.







Understand that probability can be expressed in one of three ways:

- Fraction
- Decimal
- Percentage

Understand the difference between:

- Theoretical Probability
- Relative frequency (Experimental probability) Representing possible outcomes of events by using:
- Tree diagrams
- Two-way tables

KEY CONCEPTS/ TERMINOLOGY/VOCABULARY

Certain – It will definitely happen

Very likely – It has a much greater chance of happening oFrequency - The number of times that something happens

Random - When something happens without being made to happen on purpose.

Trial - A test. Throwing a dice and tossing a coin are examples of a trial.

Fair - Treated equally, without having an advantage or disadvantage.

Theoretical probability - The calculated probability, not the actual result.

PRIOR-KNOWLEDGE/ BACKGROUND KNOWLEDGE

Learner must be able to explore the probability in scenarios involving:

- Games using coins and dice
- Weather predictions.

INTRODUCTION

Calculations involving probability are often confined to **mathematical calculations** primarily in the context of dice, coins and games. Although we may encounter situations involving probability and chance on a regular basis in daily life, it is very seldom that mathematical calculations are needed in order to make sense of those situations. E.g. **you don't need to be able to calculate the probability of winning a lottery to know that even though there is a chance of winning, that chance is very small.** What is more important, is understanding the concept of probability, together with a sense of whether an event is moreor less likely to take place.

For probability you need to have the following skills:

- Simplifying fractions
- Basic percentage calculations
- Conversions between fractions, percentages and decimal numbers.
- Interpreting data tables

EXAMPLES WITH SOLUTIONS

.1..

The Probability Scale:

Probability can be expressed in 3 ways:

- Common Fraction
- Decimal
- Percentage

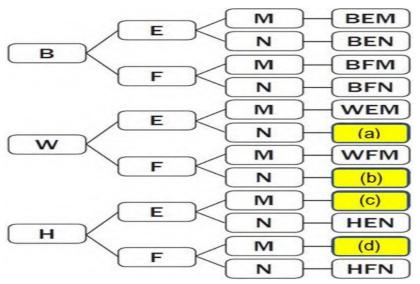
	Impossible •	Unlikely	Fifty-Fifty	Likely	Certain
Fraction	0	1/4	1/2	3/4	1
Decimal	0,0	0,25	0,5	0,75	1,0
Percenta	ge 0%	25%	50%	75%	100%

Decide where on the probability scale the following experiments would fall:

- 1.1 Flipping a coin.
 - Fifty-Fifty/Even
- 1.2 Oranges growing on a banana tree.
 - Impossible
- 1.3 The sun sets in the evening.
 - Certain
- 1.4 Choosing a red ball in a bag with 2 white balls and 6 red balls.
 - likely
- 2. A private game reserve records the following number of animals: 236 springboks, 14 elephants, 2 rhinos and 37 zebras.

Calculate the probability using the formula to determine the first animal to be spotted is...

- 2.1 a rhino
 - $\frac{2}{289}$
- 2.2 a zebra
 - $\bullet \quad \frac{37}{289}$
- 2.3 a giraffe
 - $\frac{0}{289}$
- 2.4 not a springbok
 - $\bullet \quad \frac{53}{289}$
- . The sandwiches are made from an equal number of white (W), brown (B) and whole-wheat of leaves. The filling used for the sand witches are egg (E) or fish (F), with(M) or without (N) mayonnaise.





- 3.1 Explain what the outcome BEM represents on the tree diagram.
 - BEM means brown bread with egg and mayonnaise.
- 3.2 Complete the tree diagram[(a)-(d)]
 - (a) WEN 3 (b) WFN 3 (c) HEM 3 (d) HFM
- 3.3 Use the tree diagram to write down the probability in simplified form that a sandwich would
- 3.3.1 Be a whole-wheat fish sandwich without mayonnaise.
 - WFN = $\frac{1}{12}$ or 0,08
- 3.3.2 Not be a white bread sandwich.
 - 0,67 or 66,7 %

ACTIVITIES

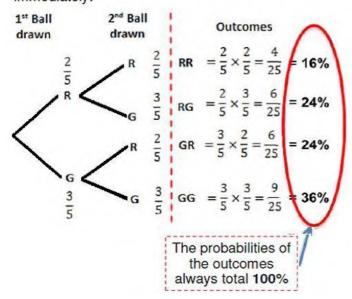
ACTIVITY 1

- 1. Write down the chances of getting the outcomes in the following situations. Write your answers as decimals, percentages and common fractions. You must give all three.
- 1.1 Getting any odd number when throwing a dice once.

- 1.2 Getting a 3 when throwing a dice with 8 faces.
- 1.3 Selecting a Jack from a deck of cards.
- 1.4 You take out a T-shirt (without looking!) from a pile which has 1 blue, 3 green and 2 purple T-shirts in it. What are the chances of taking out a purple T-shirt?
- 2. A simple prediction game involves a bag that contains two red balls and three green balls. The probability of a sequence of two balls being selected (first one ball and then a second ball) can be shown in the following tree diagram (Red ball = R, Green ball = R):

Situation 1

With each ball being drawn and replaced in the bag immediately:

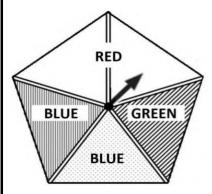


- 2.1 What is the probability that the first ball drawn is a red ball?
- 2.2 What is the probability that the second ball drawn is a red ball if the first ball was a red ball?
- 2.3 What is the probability that both balls are red?
- 2.4 What is the probability that at least one of the balls drawn is a green ball?
- 3. Celeste, a resident of Kimberley, studied the weather forecast below relating to the following day to determine whether it was necessary to take an umbrella to work.

HOURLY WEATHER FORECAST FOR KIMBERLEY – 12/03/2019

13:00	14:00	15:00	16:00	17:00
0	0	0	0	5
29°C N	29°C NNW	29°C NNW	28°C NNW	26°C NW
o 20 %	o 6 20 %	** 20 %	å 37%	å 64 %

- 3.1 Determine the probability that it will rain when Celeste leaves work at 2:30 p.m.
- 3.2 Determine the probability that the temperature increased from 13:00 to 17:00. Express your answer as a decimal number.
- 3.3 Determine the probability that the temperature remained the same from 13:00 to 15:00. Express your answer as a percentage.
- 3.4 Determine the probability that the wind blew in any westerly direction from 13:00 to 16:00. Express your answer as a fraction.
- 4. The following spinner has two ways to look at it: 1- the patterns; 2- the colours written on the spinner. If a person spins the spinner, what are the chances to:



- 4.1 get the diagonal line pattern. Express your answer as a fraction.
- 4.2 get the white solid colour. Express your answer as a percentage.
- 4.3 get the colour blue that was written. Express your answer as a decimal fraction.
- 4.4 not get the dotted pattern. Express your answer as a percentage.

5. On the roulette wheel there are 18 red and 18 are black numbers. But there is an additional 0 that is green in colour.



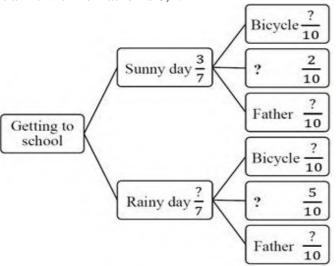
- 5.1 What is the probability that the first ball lands on a red number? Express your answer as a decimal. Round your answer to 2 decimal places.
- 5.2 What is the probability that the first ball lands on a red number 19? Express your answer a fraction.
- 5.3 What is the probability that the second ball lands on a red number if the first ball landed on a red number? Express your answer as a decimal.

Luca has three options of getting to school. She can ride her bicycle, catch a taxi or wake up extra early to get a lift with her father. The weather plays a big role in her decision of how to get to school.

The probability of it being a sunny day is $\frac{3}{7}$ and the probability of it being a rainy day is $\frac{4}{7}$.

If it is a sunny day, the probability of Luca riding her bicycle to school is 60%, while the probability of her catching a taxi is 0%.

If it is a rainy day, the probability of Luca catching a taxi is 0,5, and the probability of her getting up early to get a lift with her father is 0,4.





- 6.1 Complete the missing information by copying the tree diagram in your workbook.
- 6.2 Calculate the probability, as a fraction, that it will be a sunny day and that Luca will get up early to catch a lift with her father.

RESOURCES

Mind the Gap; Via Africa Study Guide; MATHEMATICAL LITERACY REVISION BOOKLET DBE; NSC Papers